## WIMP Dark Matter + SUSY

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Dark Matter in Southern California

Ingredients for a miracle (WIMP):

#1) Particle is neutral + stable.

#2) Particle couples to SM with weak scale annihilation cross-section.

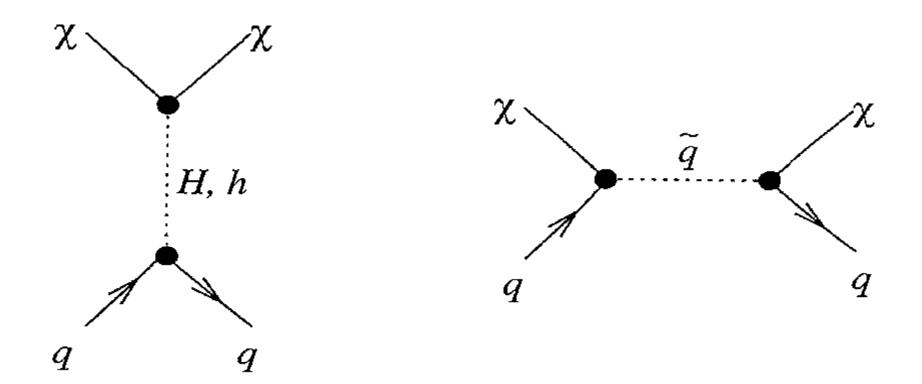
These are ubiquitous in models that address the hierarchy problem.

### #I) Lots of examples of stabilizing symmetry!

theory	$Z_2$	
Supersymmetry	R-parity	
Extra Dimensions	KK-parity	
Little Higgs	T-parity	

Parities help with other exp'l constraints.

#### #2) Lots of weak scale masses + couplings!



Such couplings are mandatory to solve the hierarchy problem. SUSY offers a "sandbox" for WIMP DM.

DM is among primary virtues of SUSY:

dark matter

hierarchy problem

gauge coupling unification

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dark matter

hierarchy problem ?

gauge coupling unification

DM probes offer a crucial experimental referendum on our motivations for SUSY.

What is the present status of neutralino DM and what is in its future?

# Focus on neutralino DM that is an admixture of gauginos and Higgsinos:

$$\chi \sim (\tilde{b}, \tilde{w}, \tilde{h})$$

The parameter space is small, manageable:

$$(M_1, M_2, \mu, \tan \beta)$$

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$$\chi \sim (\tilde{b}, \tilde{w}, \tilde{h}) \rightarrow \text{triplets,}$$
 doublets

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$$(M_1, M_2, \mu, \tan \beta)$$

# simplifications

- a) Ignore all scalars but light Higgs.
  - resonant effects (Higgs funnels)
  - scalar coannihilation (squark, etc)
- b) Ignore all CP phases.

## relic abundance

## We allow for a range cosmology scenarios:

• thermal 
$$\Omega_{\rm obs} = \Omega_{\chi} = \Omega_{\chi}^{\rm (th)}$$

• non-thermal 
$$\Omega_{\rm obs} = \Omega_\chi \neq \Omega_\chi^{\rm (th)}$$

• sub-component  $\Omega_{\rm obs} > \Omega_{\chi} = \Omega_{\chi}^{\rm (th)}$ 

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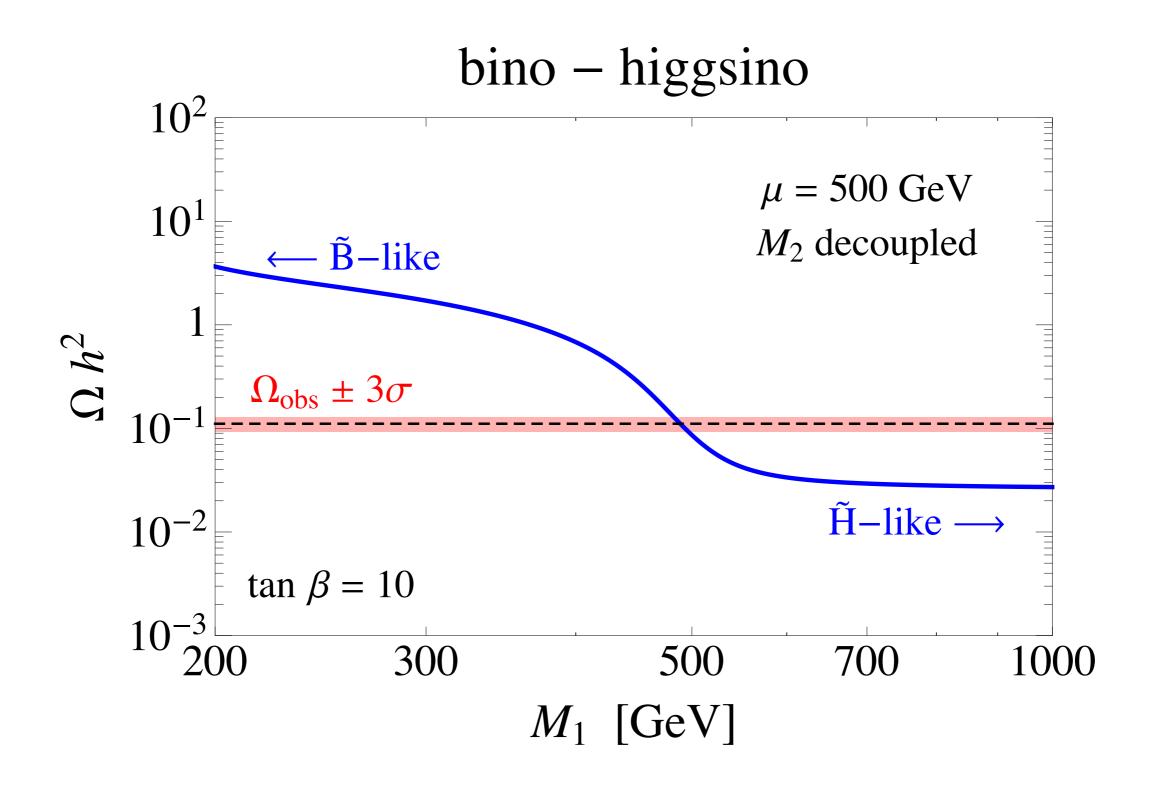
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$$\Omega_{\rm obs} > \Omega_{\chi} = \Omega_{\chi}^{\rm (th)}$$
 exp. limits weaker

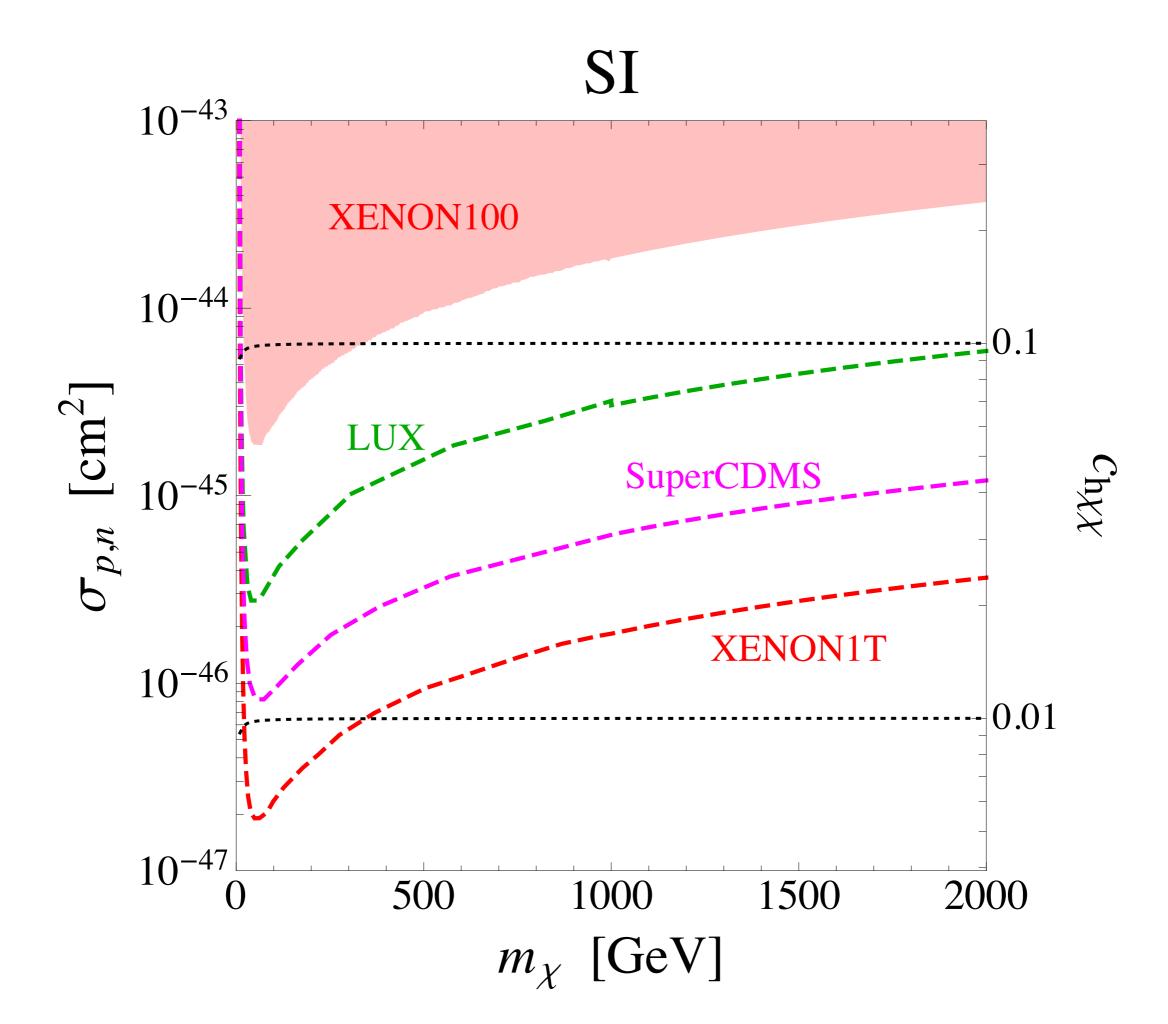
# "Well-tempering" is needed for correct relic abundance in many theories - including SUSY.

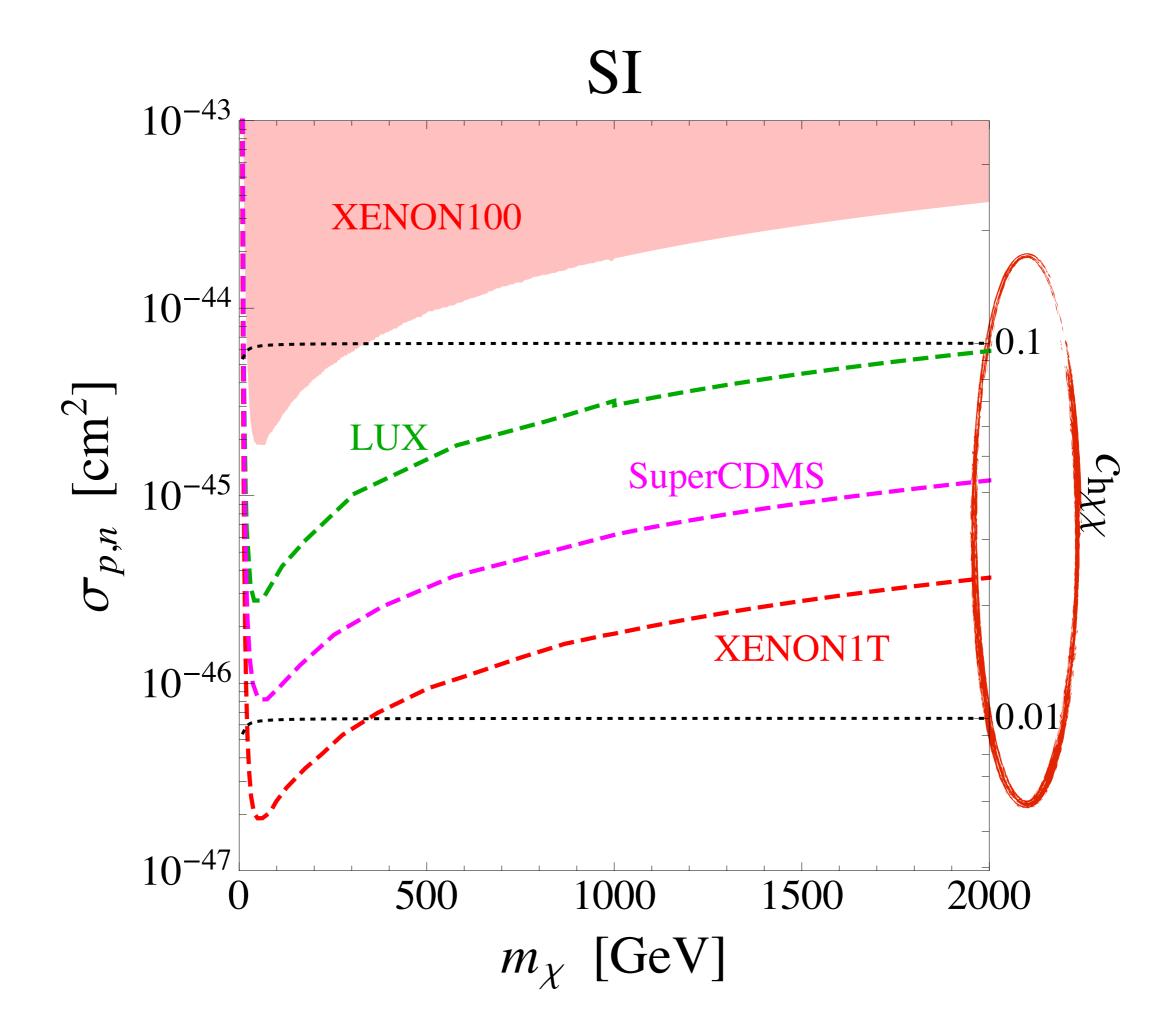


# experiments

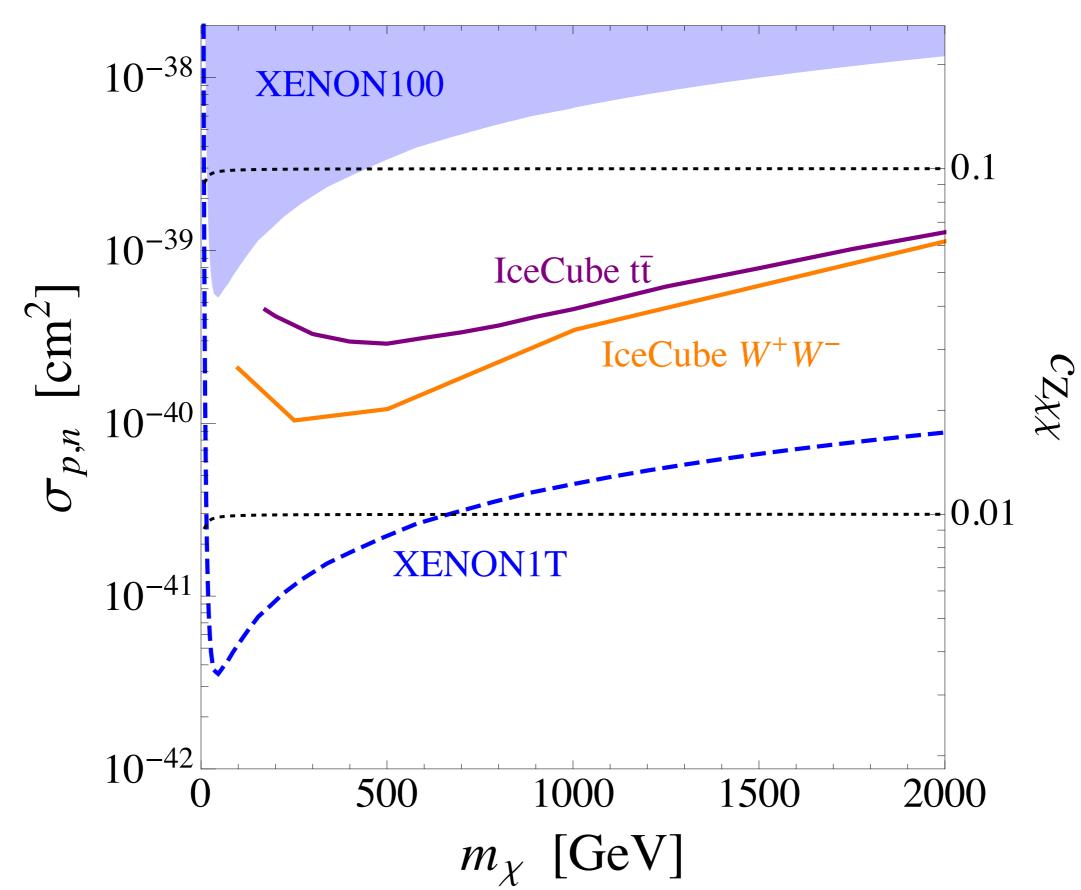
Consider present limits and future reach for direct detection / neutrinos experiments.

- spin independent (SI) scattering: XENON, LUX
- spin dependent (SD) scattering: XENON, IceCube

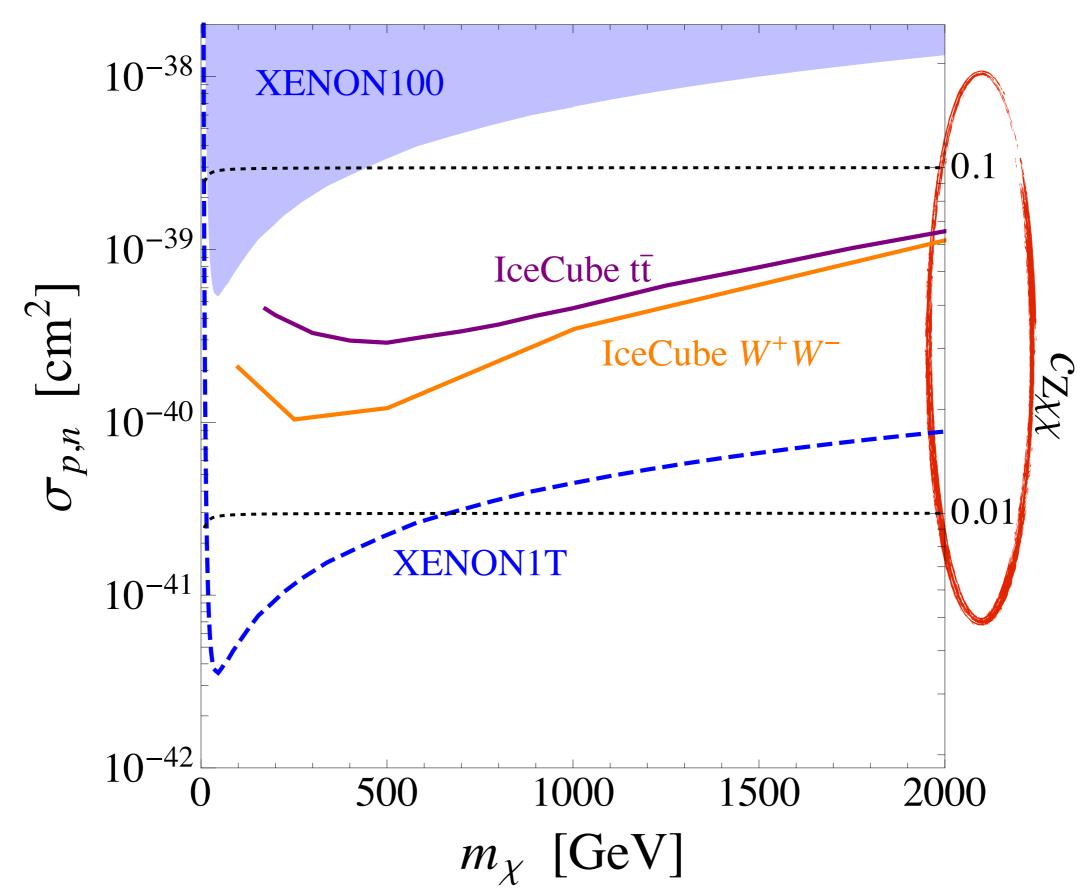












# At zeroth order, XENON100 introduces tension for neutralino dark matter:

$$c_{h\chi\chi} \lesssim 0.1$$
 versus  $g' \sim 0.35$   $g \sim 0.65$ 

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Because contributions are of order the limit, cancellations will occur generically, e.g.

$$(2-1)^2 \ll (2+1)^2$$

## how does DM hide?

### purity

$$c_{h\chi\chi} \to 0$$
  
as  $M_1, M_2, \mu \to \infty$ 



## blind spots

$$c_{h\chi\chi} = 0$$
  
as  $M_1, M_2, \mu = \text{finite}$ 



# purity

state	SI(h)	SI(Z)	SD(Z)
$ ilde{b}$	inert	inert	inert
$ ilde{w}$	no renorm. operator	no renorm. operator	no renorm. operator
$ ilde{h}_u,  ilde{h}_d$	no renorm. operator	present but inelastic	no renorm. operator

# blind spots (SI)

#### Reinstate the Higgs boson:

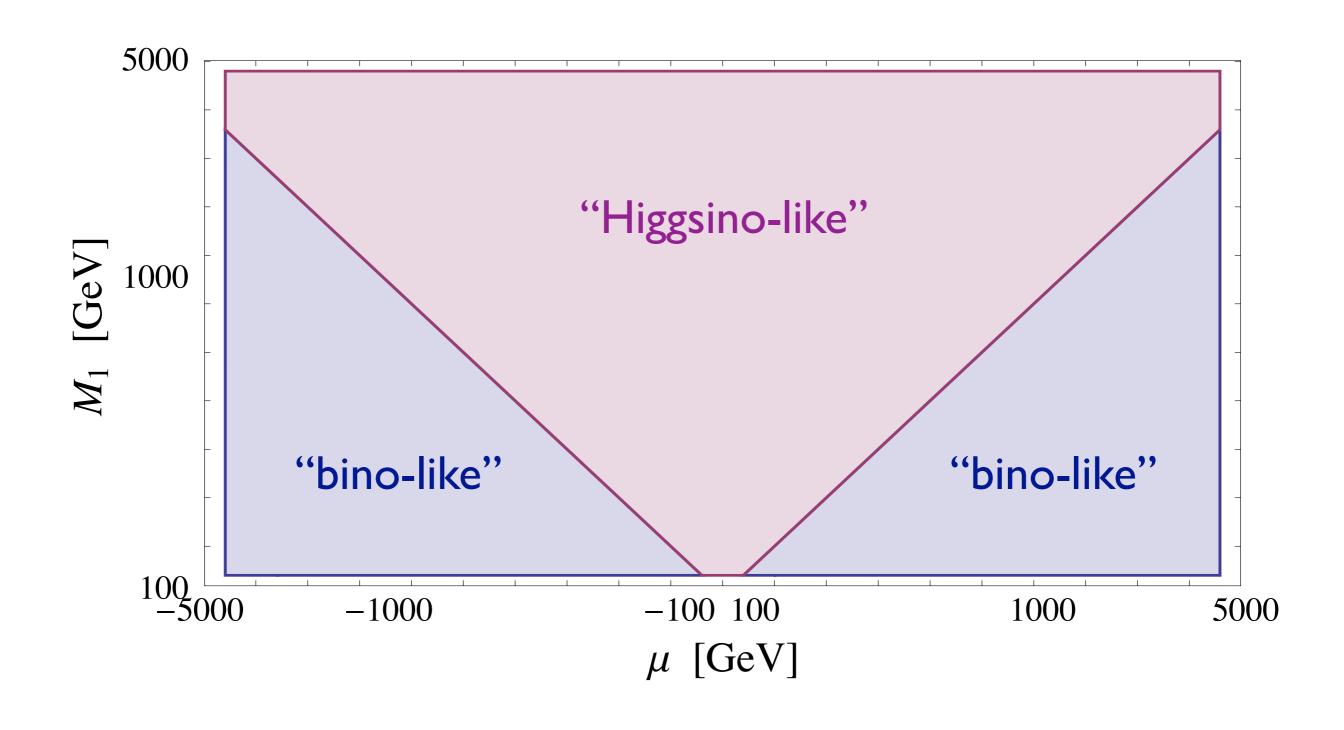
$$\mathcal{L}_{h\chi\chi} = \frac{1}{2} m_{\chi}(v+h) \chi \chi$$

$$= \frac{1}{2} m_{\chi}(v) \chi \chi + \frac{1}{2} \frac{\partial m_{\chi}(v)}{\partial v} h \chi \chi + \mathcal{O}(h^{2}),$$

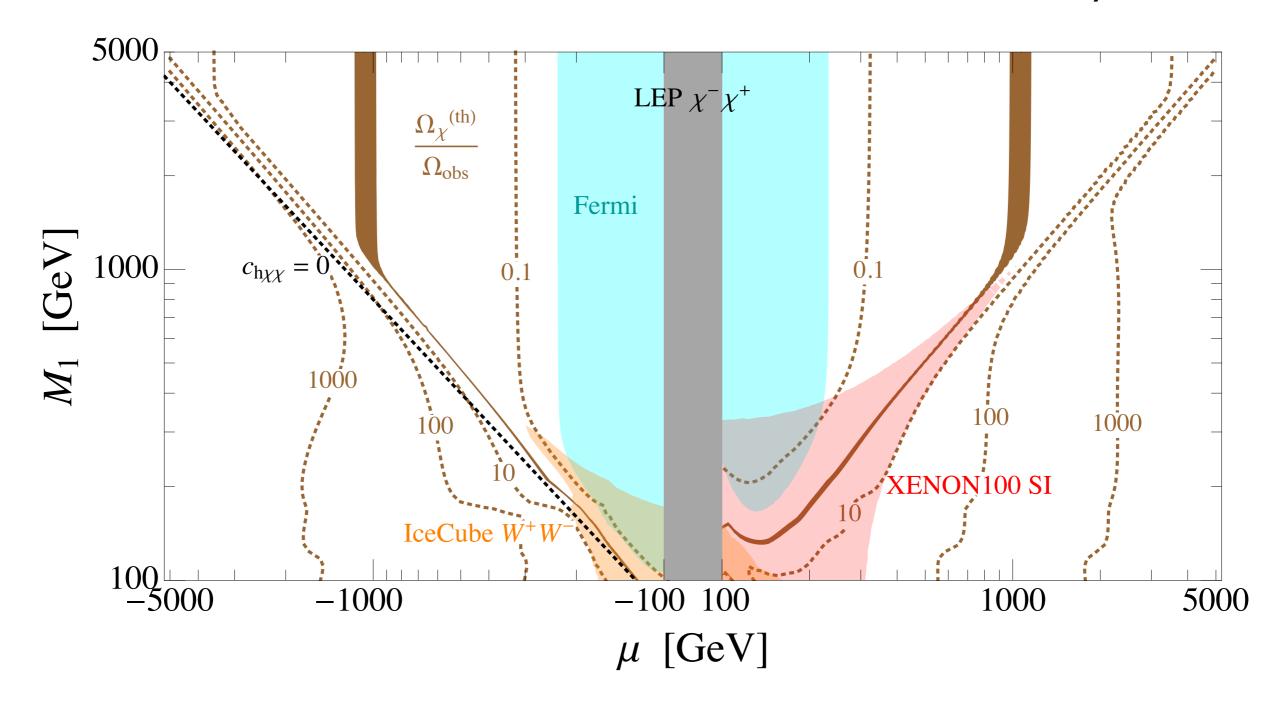
#### Higgs coupling cancellation at:

$$c_{h\chi\chi} = \frac{\partial m_{\chi}(v)}{\partial v} = 0$$

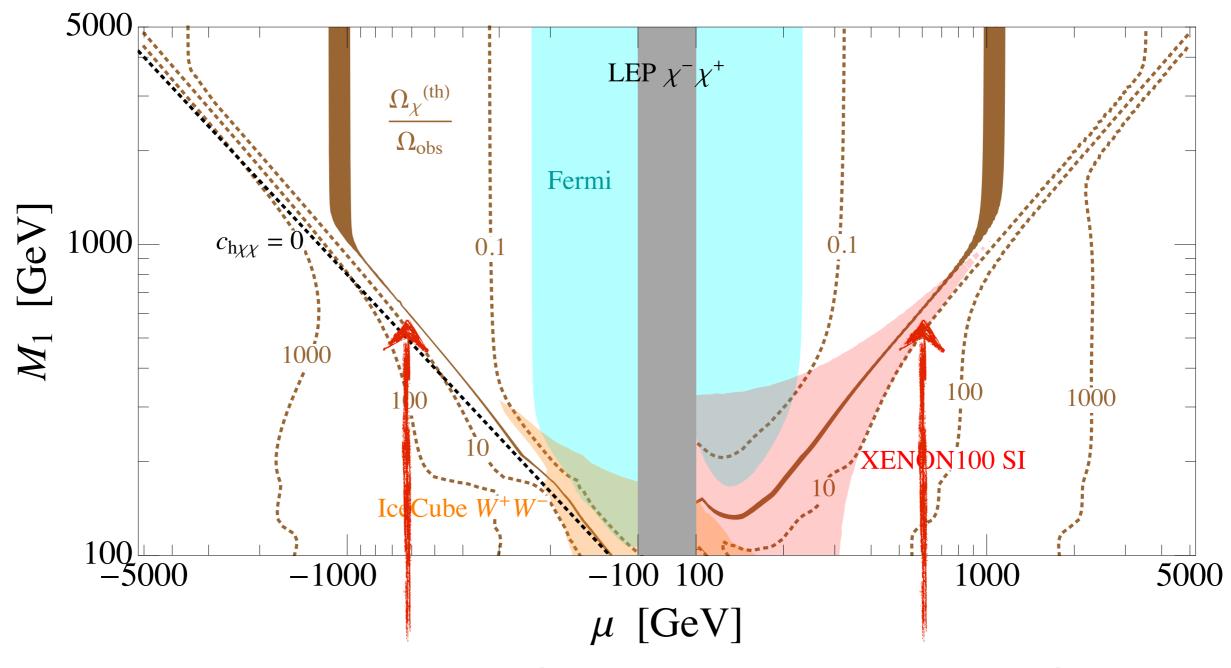
### Take bino-Higgsino DM $(M_2 \to \infty)$ .



$$\tan \beta = 2$$



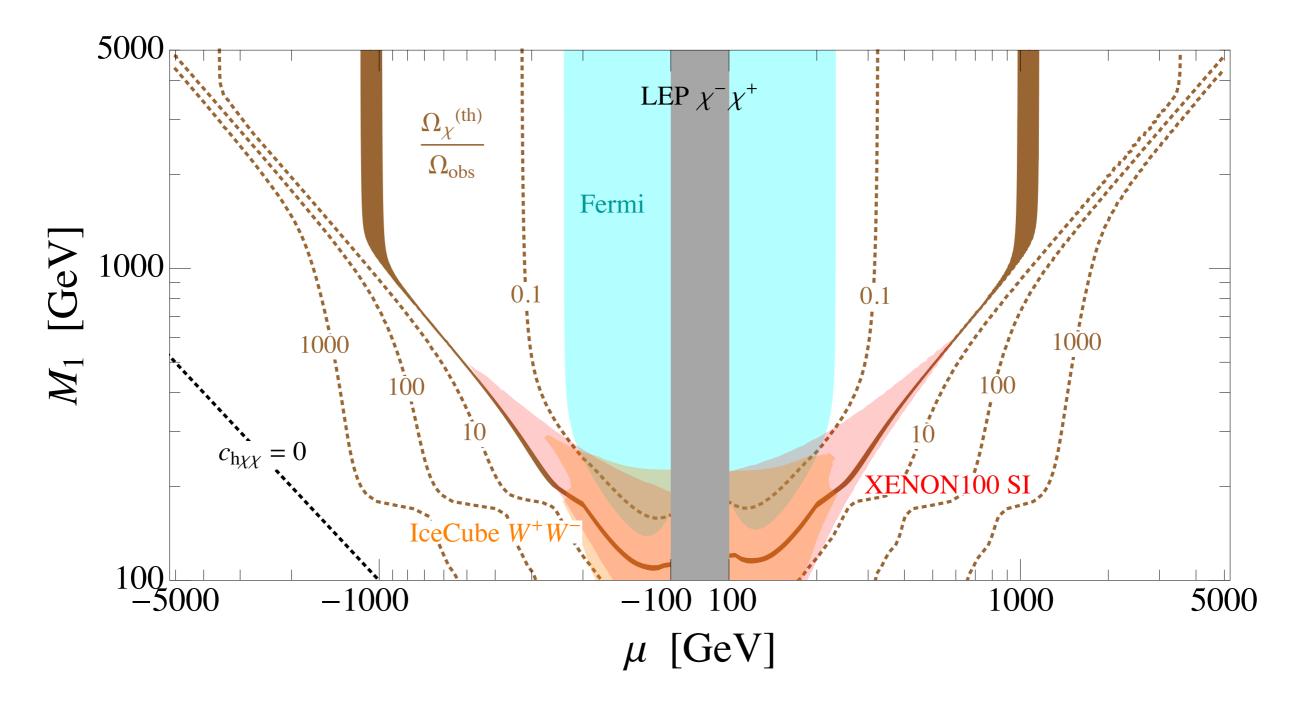
$$\tan \beta = 2$$



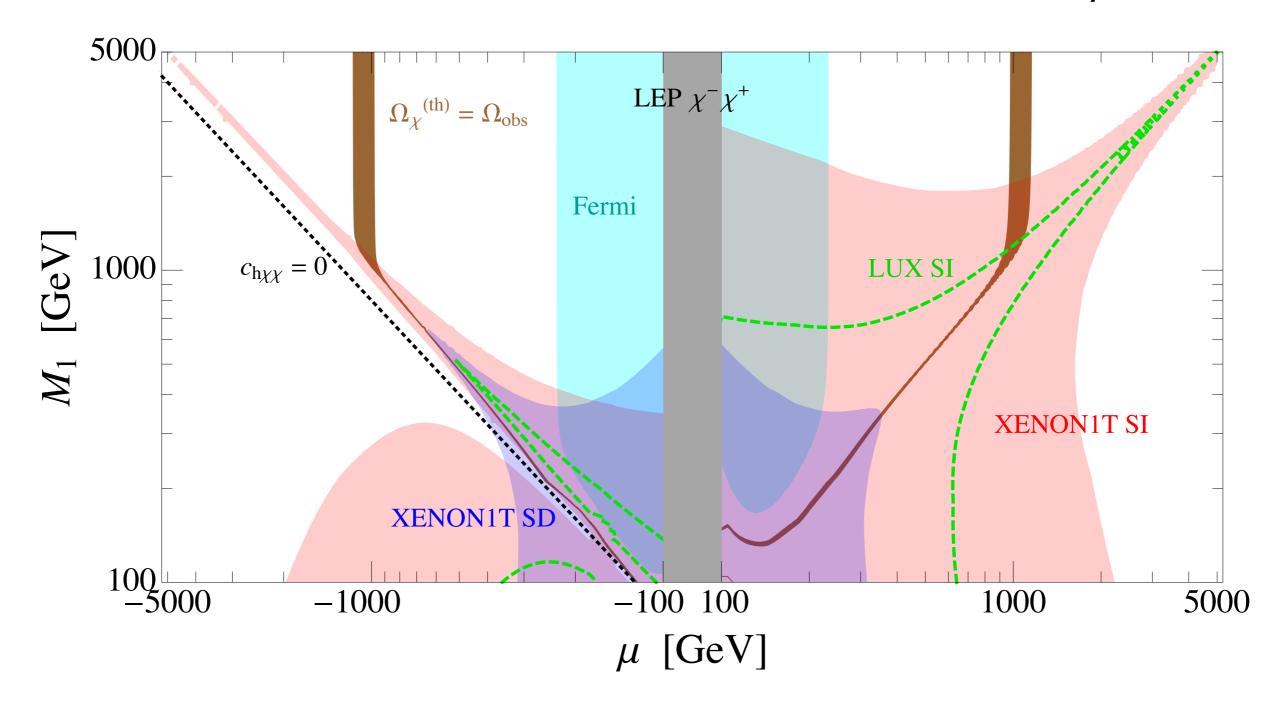
well-tempered neutralino allowed

well-tempered neutralino excluded

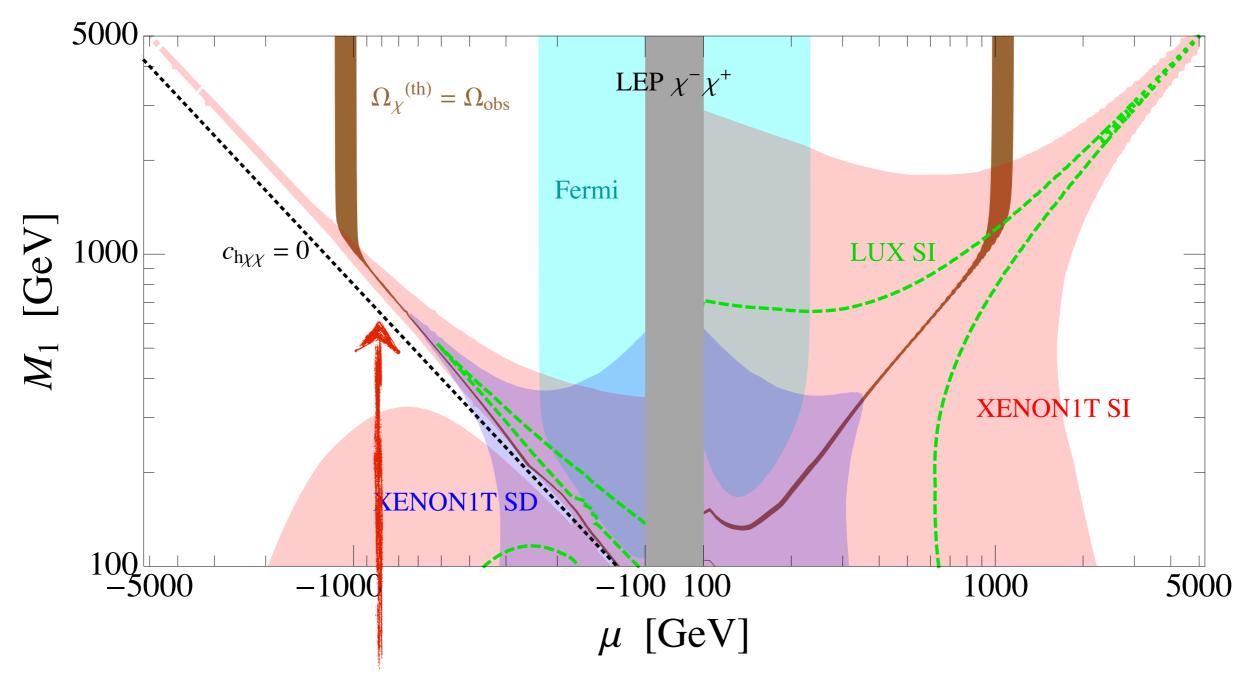
$$\tan \beta = 20$$



$$\tan \beta = 2$$

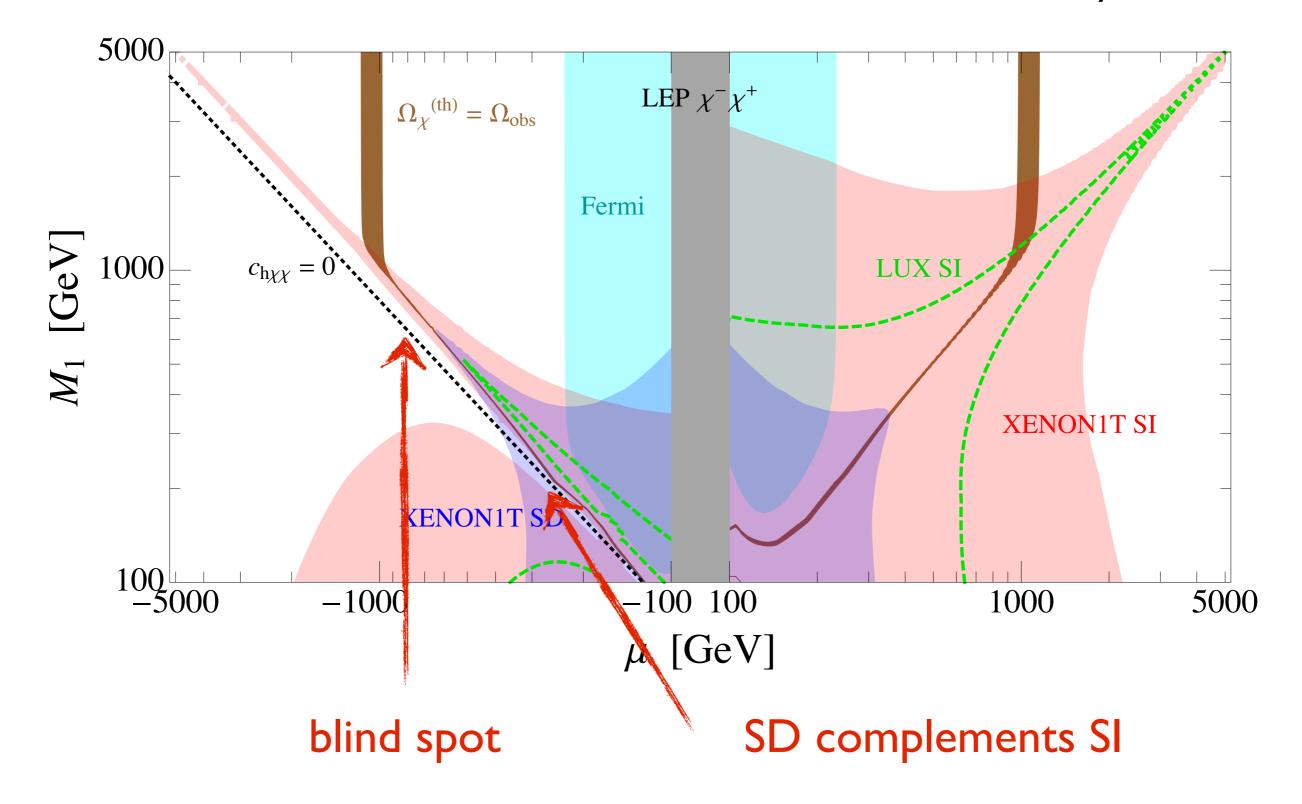


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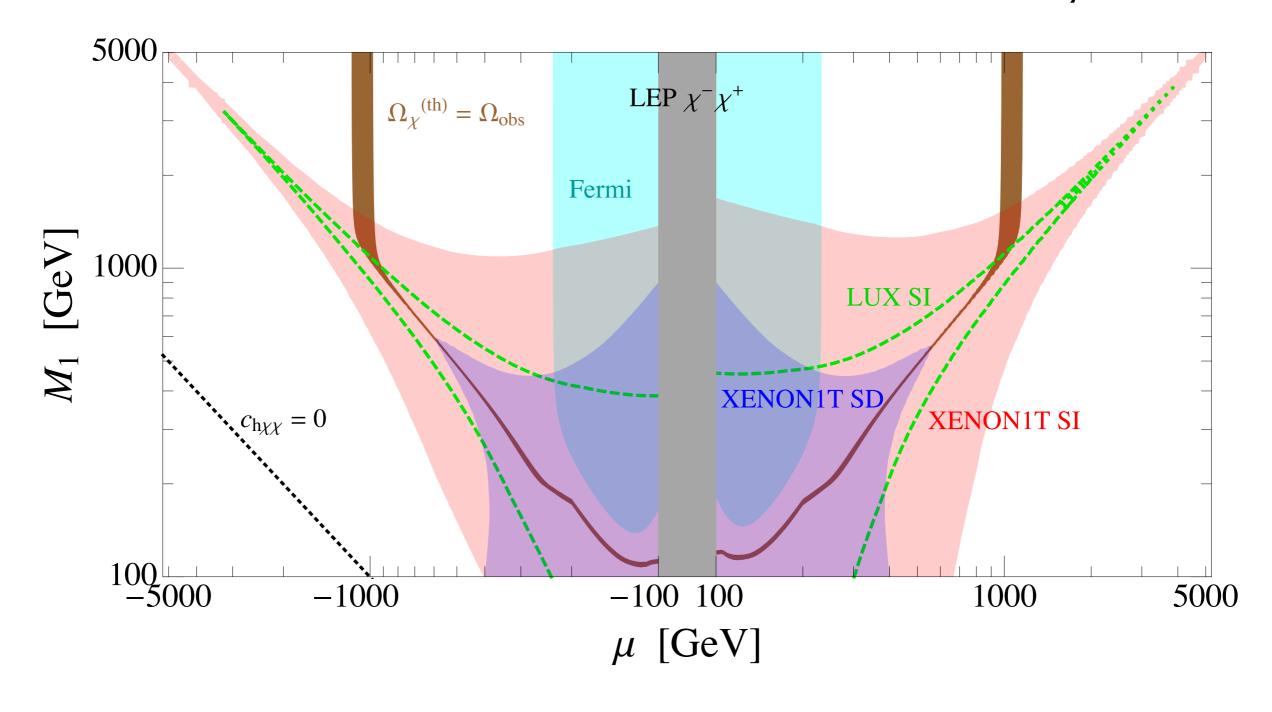


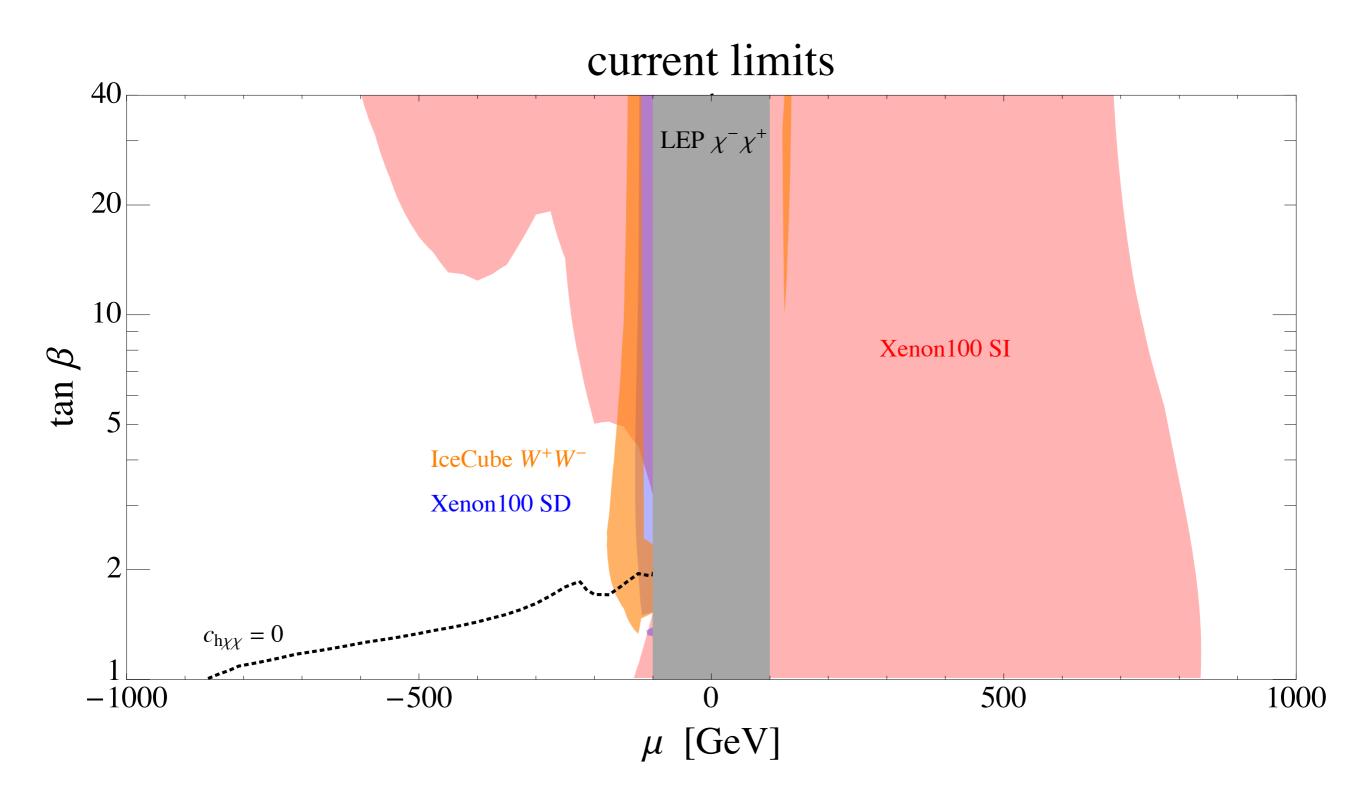
blind spot

$$\tan \beta = 2$$

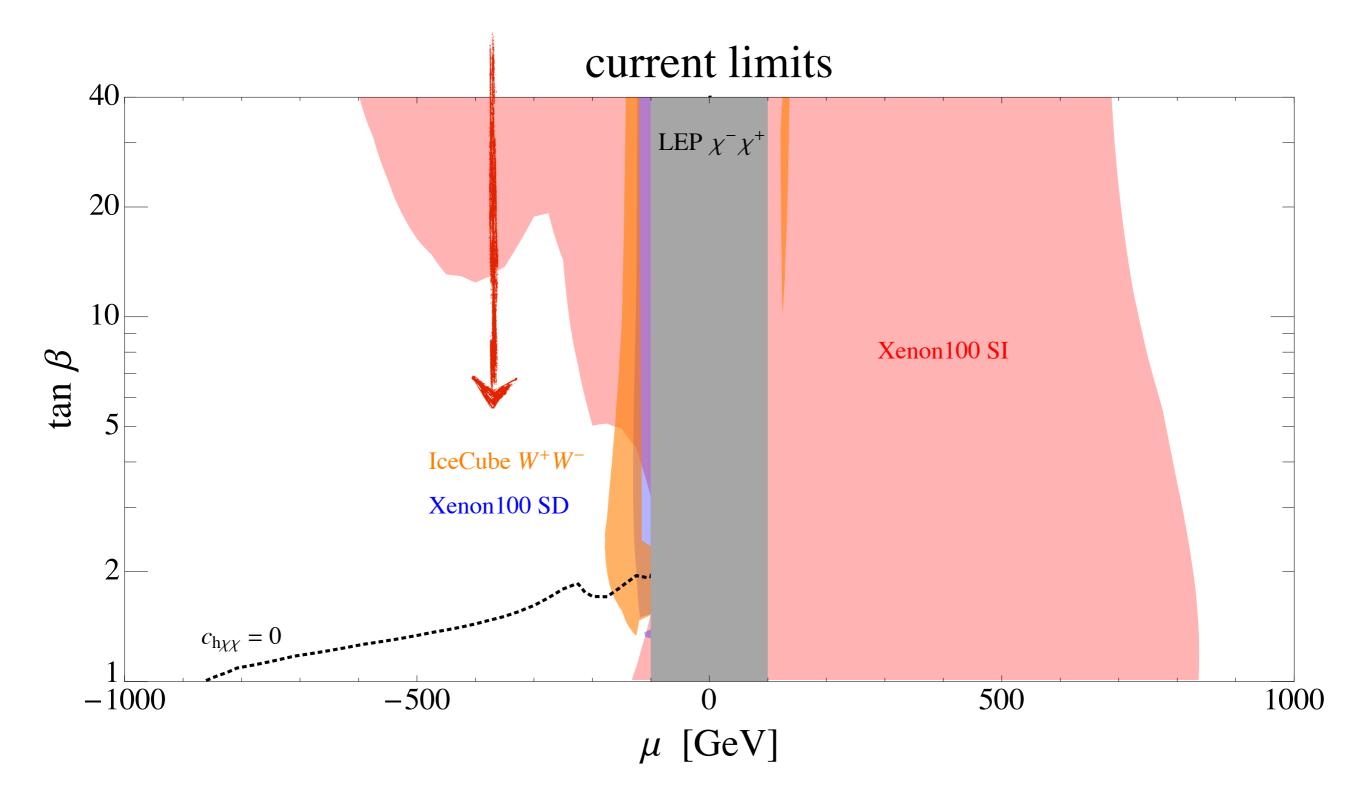


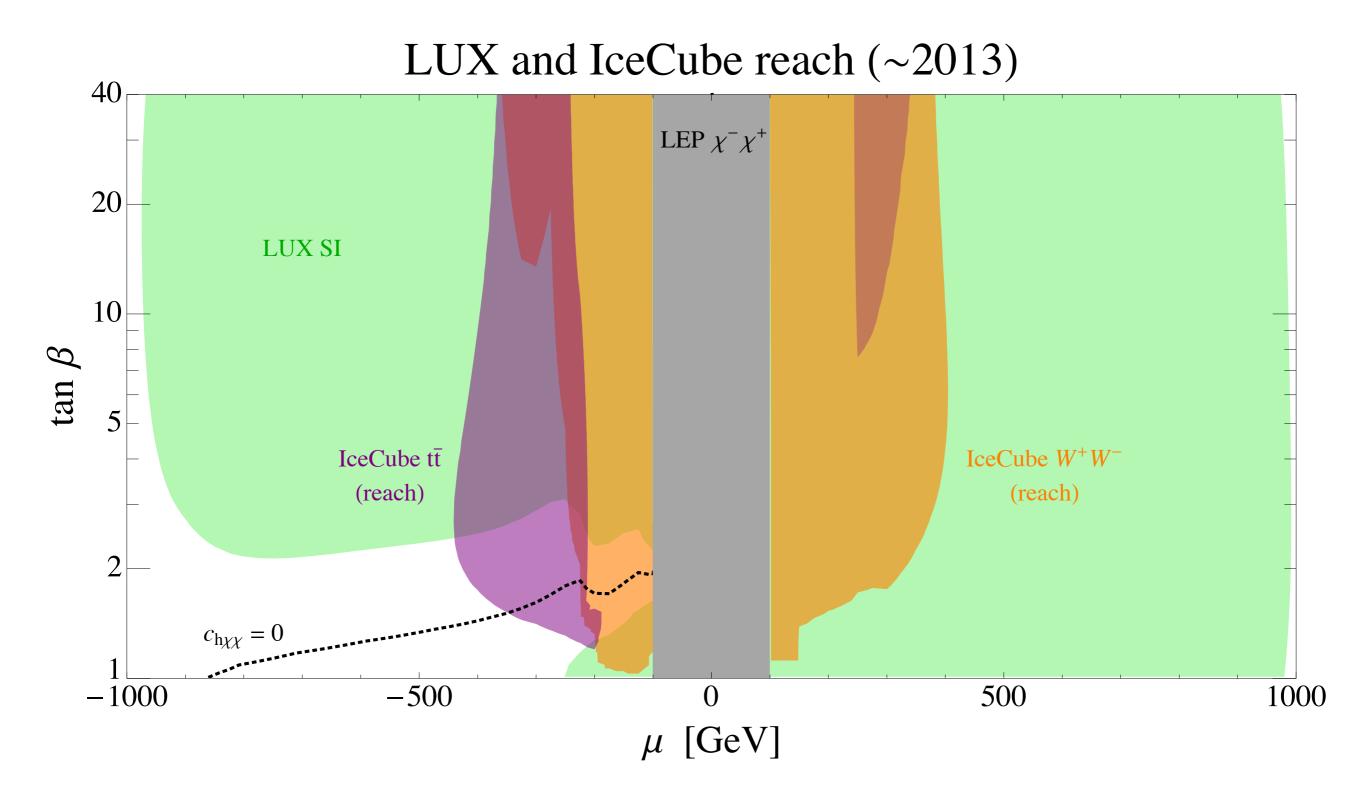
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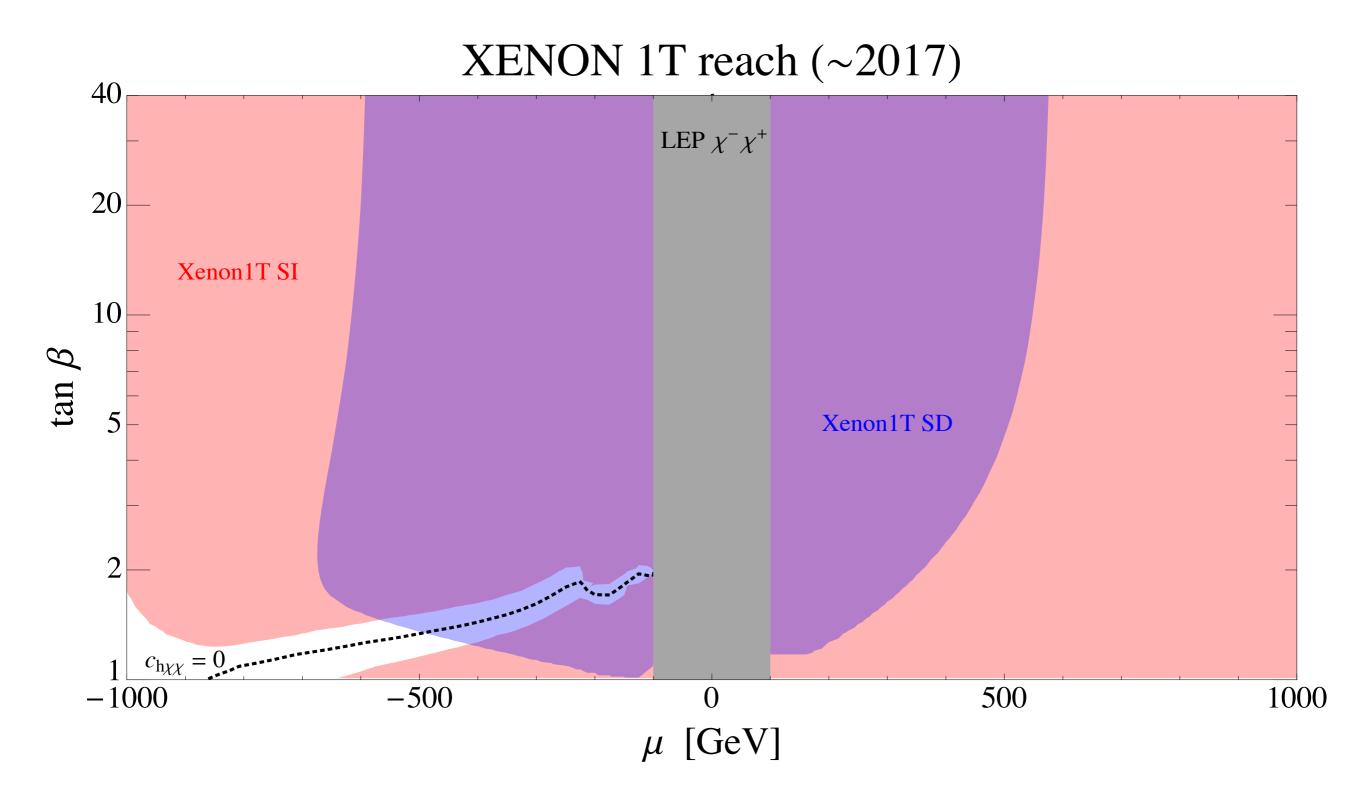


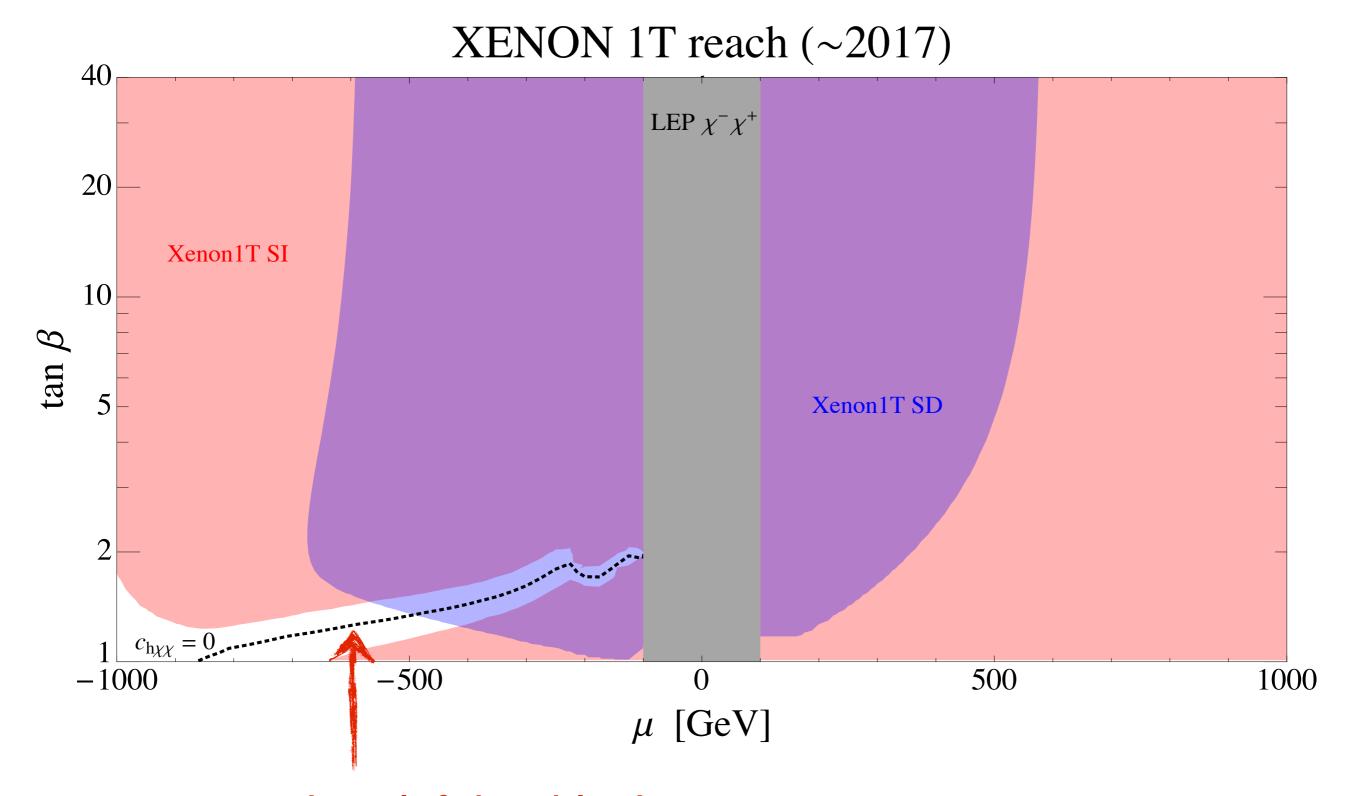


# well-tempered neutralino is alive and well









soon, nothing left but blind spot

#### Are there any theory motivated blind spots?

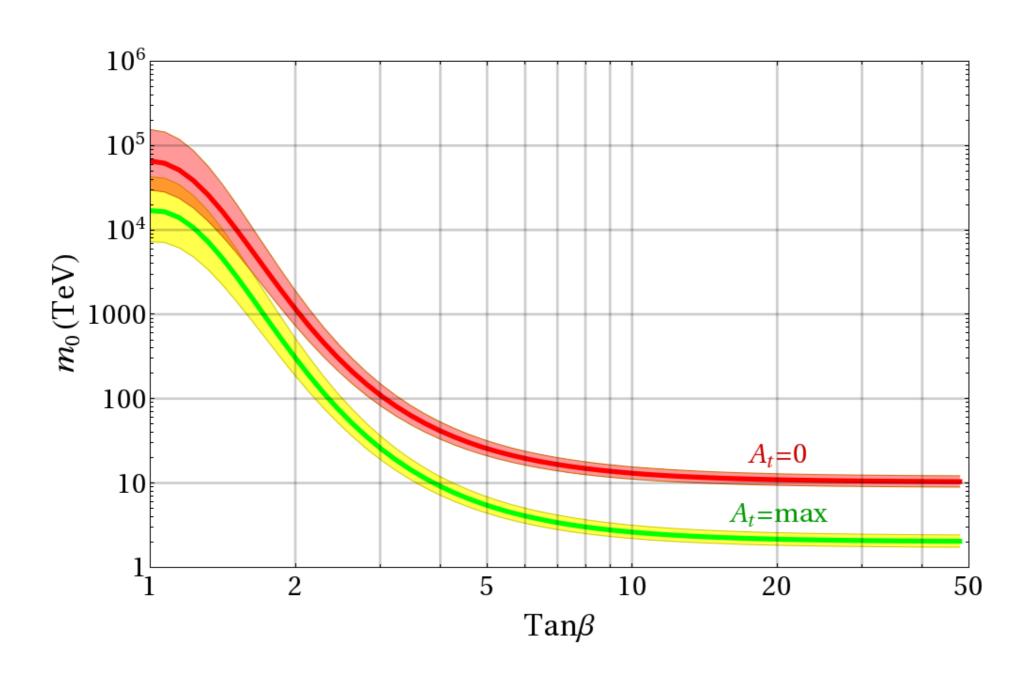
Higgsino DM at tan beta ~ I hard to probe.

- SI scattering is in blind spot.
- SD scattering is in blind spot.

Higgsino DM at tan beta ~ I is motivated.

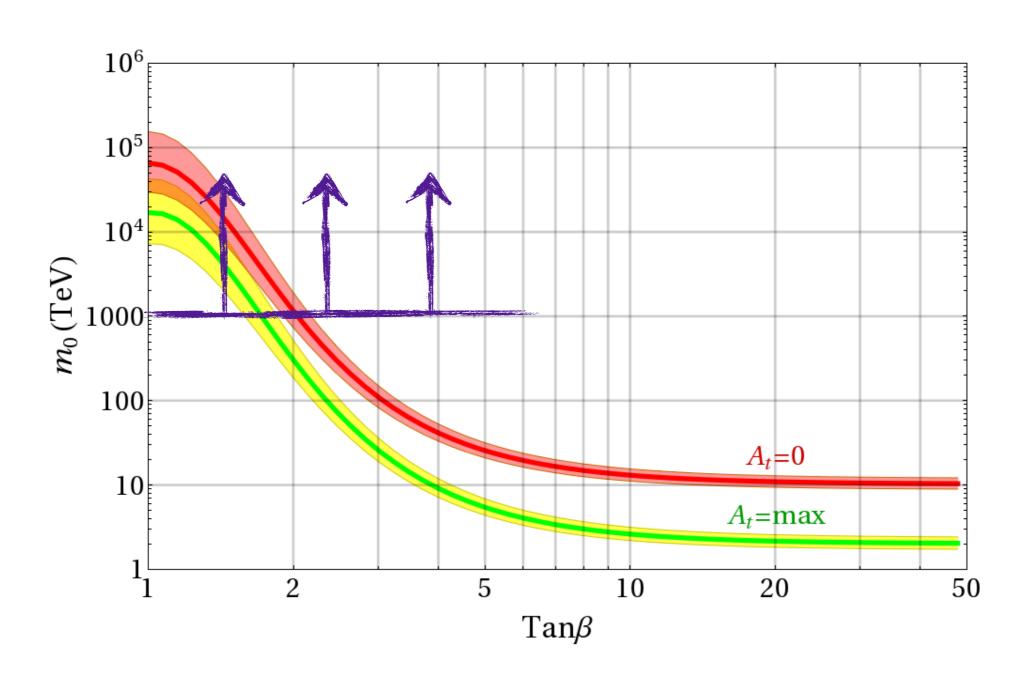
- natural theories (lambda SUSY)
- unnatural theories (split SUSY)

# Low tan beta preferred by theory (gaugino/scalar hierarchy) and experiment (flavor).



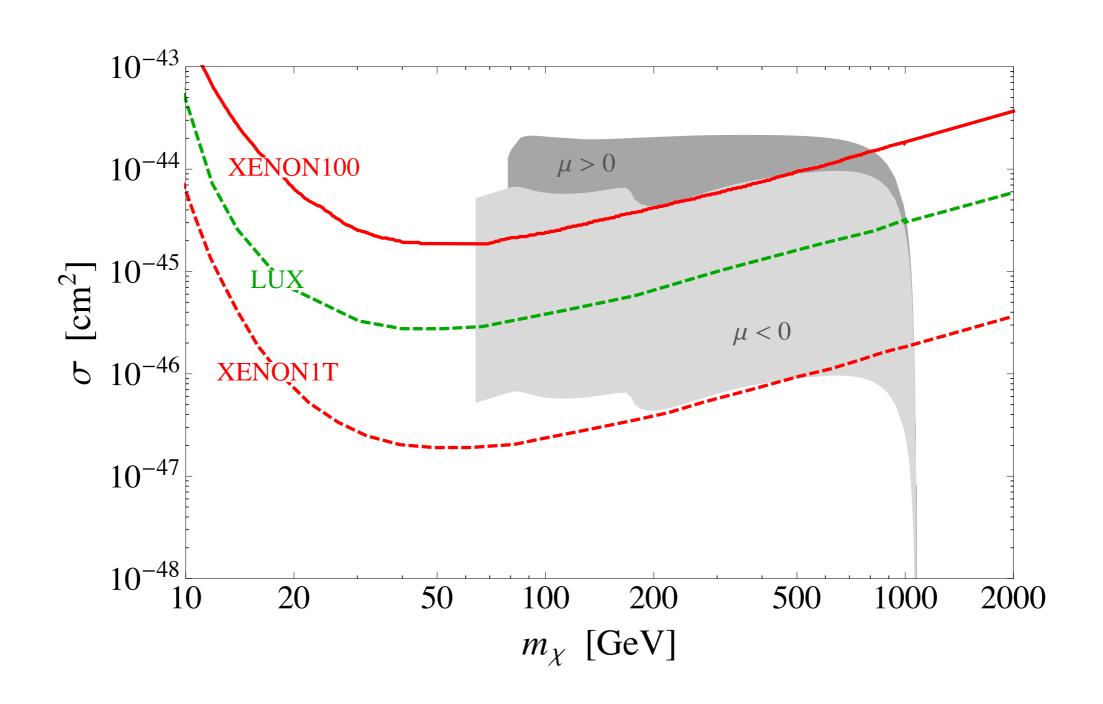
Arvanitaki et al. [1210.0555]

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# XENON100 has just cut into the Higgs scattering region of thermal neutralino DM!



# thanks!