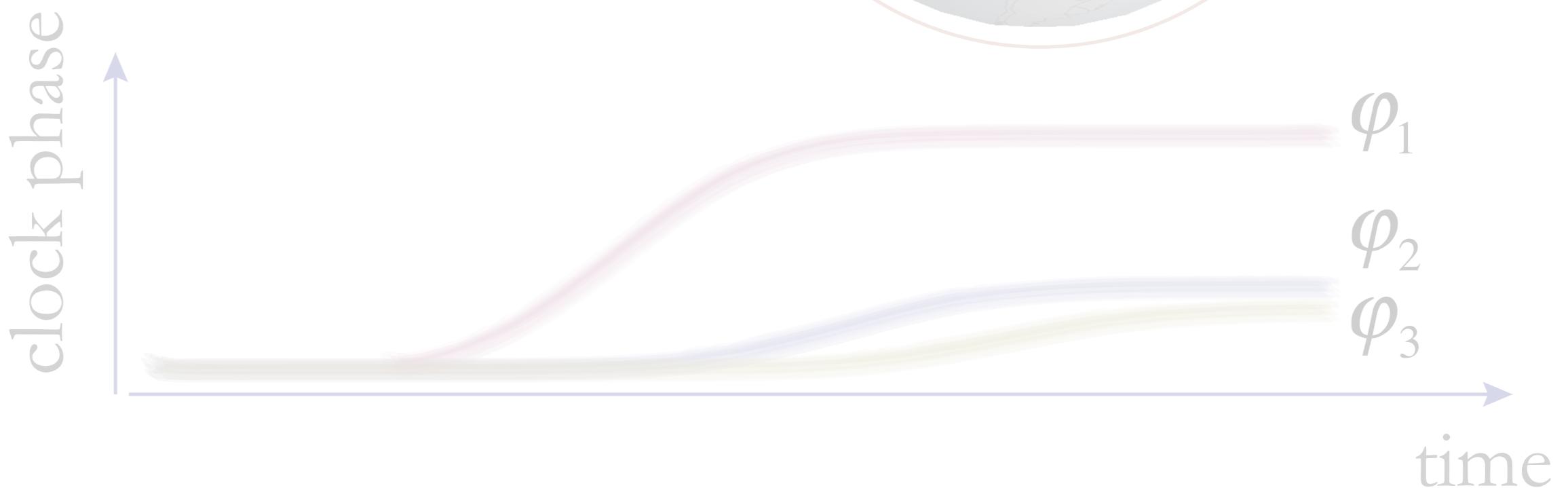


Hunting for dark matter with GPS and atomic clocks

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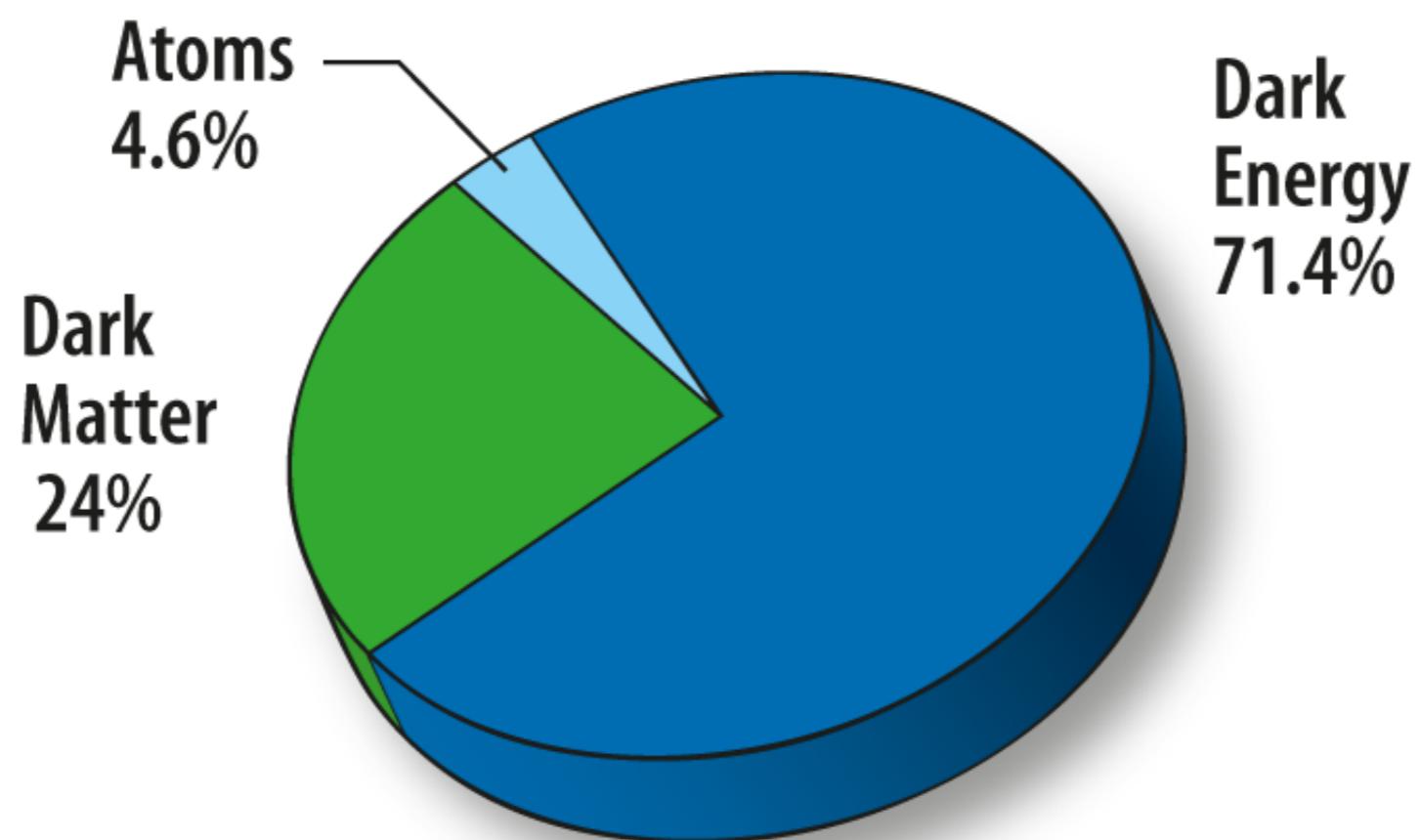


Outline

- Dark-matter (DM) problem
- Topological DM/ “Lumpy” DM
- Transient variation of fundamental constants
- Scalar fields -> oscillating fundamental consts
- Clocks and GPS as DM detectors

A. Derevianko and M. Pospelov, Nature Phys. 10, 933 (2014)

Problem of dark matter/dark energy



Excellent textbook: S. Weinberg “Cosmology”

Dark matter puzzle

- Only 5% of the Universe is made up of ordinary (baryonic) matter
- Does not emit/absorb radiation: can not be seen with telescopes
- Multiple observational evidences: galactic rotation curves, gravitational lensing, cosmic microwave background,...
- Inferred from **gravitational interactions** with luminous matter on **galactic scales**
- What is it?
Does it interact with baryonic matter non-gravitationally?

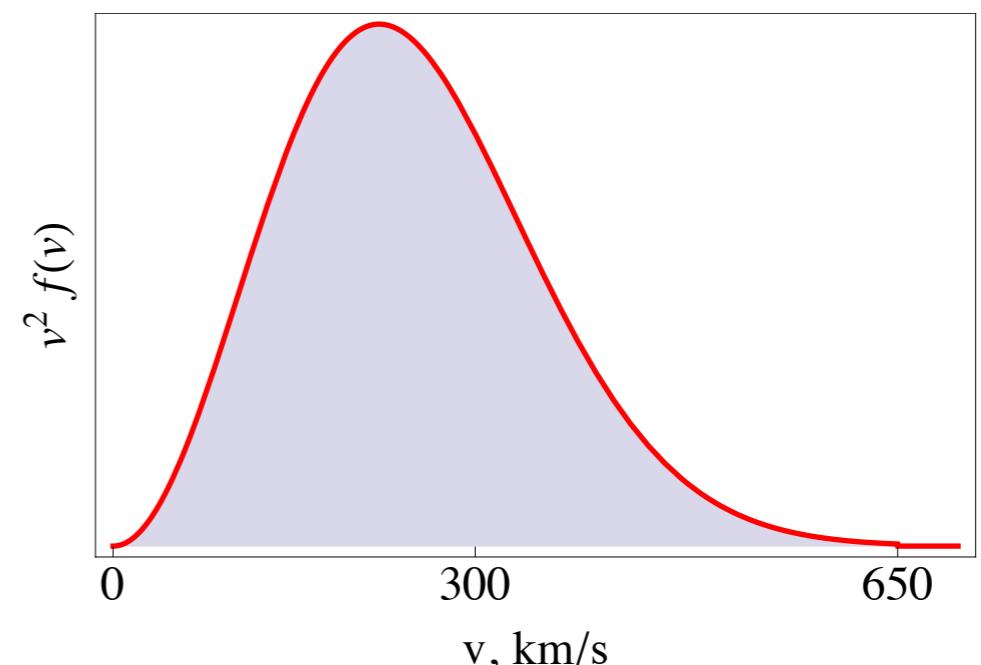


What do we know about DM?

Dark Matter halo



Velocity distribution



Galactic orbital motion

$$v_g \sim 300 \text{ km/s}$$

Energy density

$$\rho_{DM} \sim 0.3 \text{ GeV/cm}^3$$

Candidates: from WIMPs to MACHOs

$M \sim 10^{-56} - 10^{-54} M_{\odot}$

WIMPs

Weakly interacting massive particles

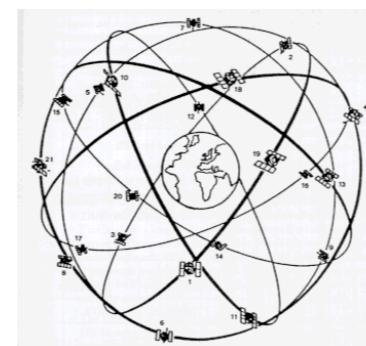
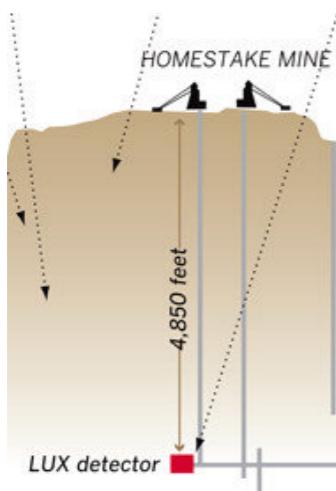
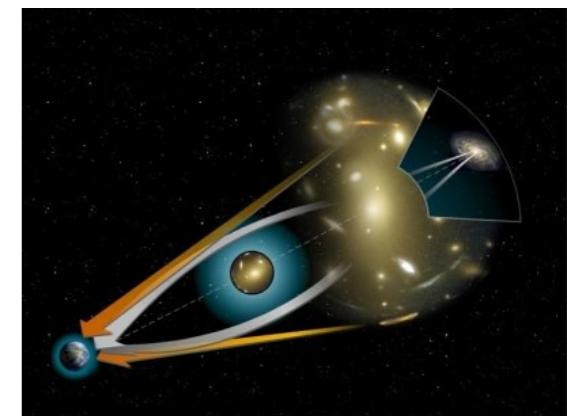
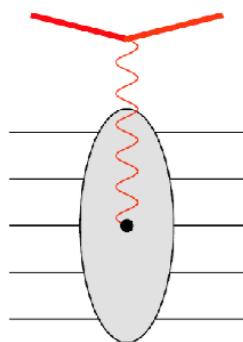
$$M < 10^{-24} M_{\odot}$$

$M \sim 10^{-7} - 10^2 M_{\odot}$

MACHOs

Quantum fields

Massive compact halo objects



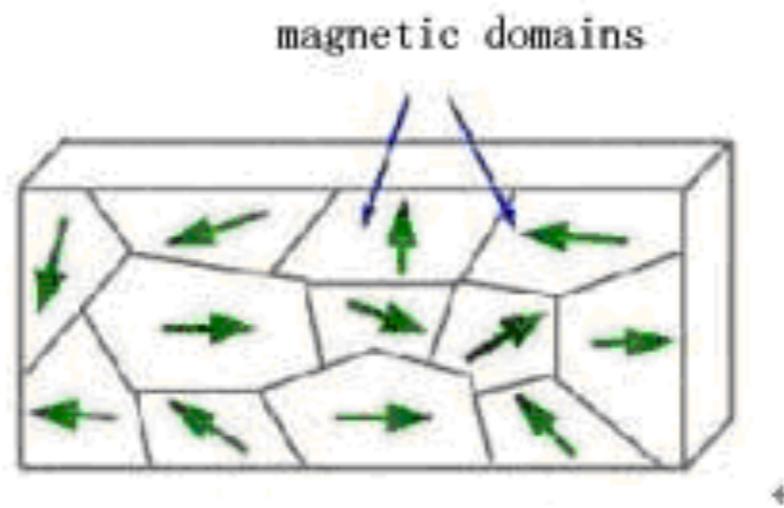
Topological Dark Matter = TDM

Stable extended objects



- Self-interacting quantum fields
- Networks of topological defects (light quantum fields = monopoles, vortices, domain walls), solitons, Q-balls
- Non-gravitational (dissipative) interactions in the dark sector (lumpy DM)

Illustration: ferromagnets

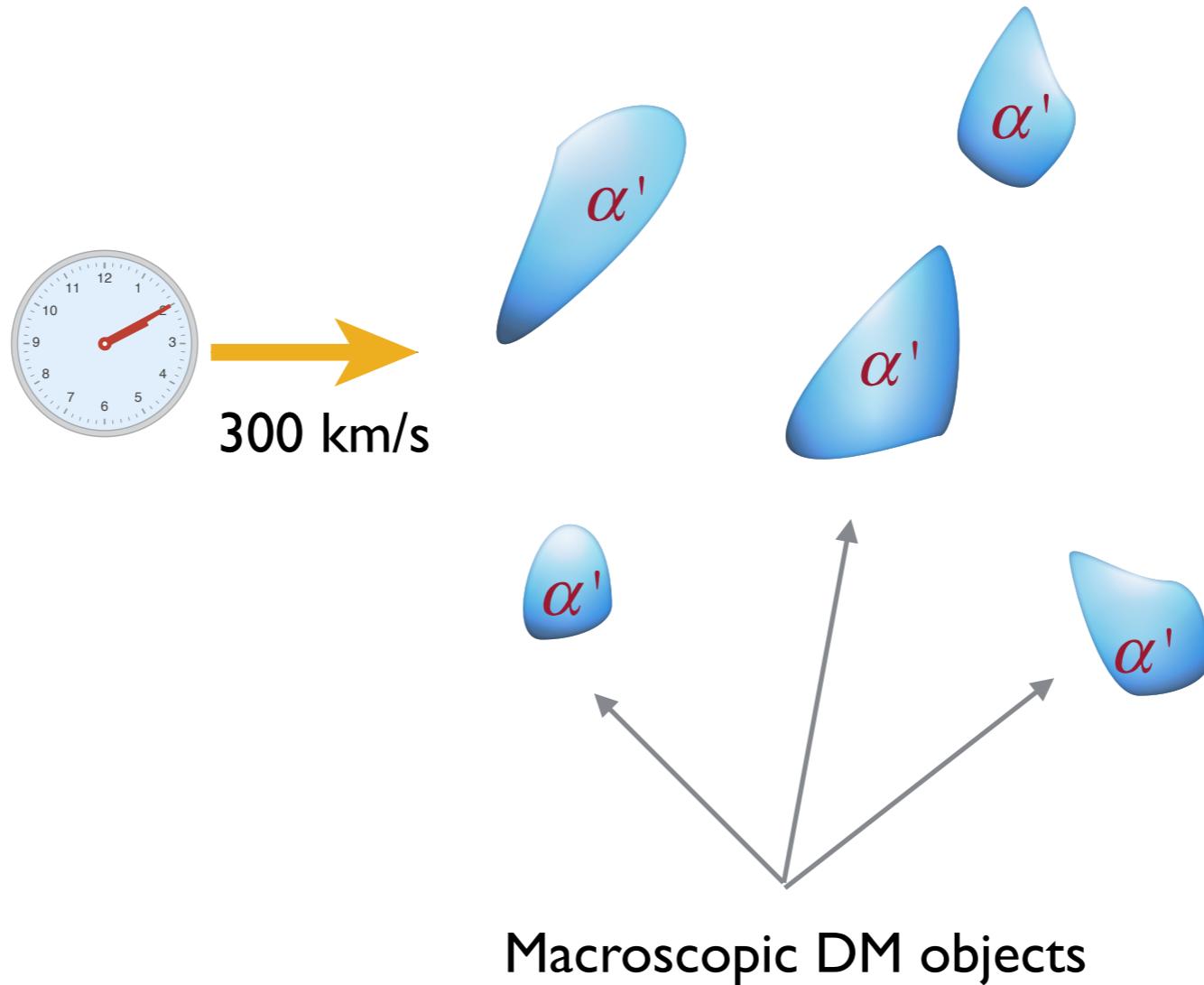


Curie point in ferromagnetic phase transitions

Atomic clocks - amazing listening devices

- Most precise instruments ever built
- Modern nuclear/atomic clocks aim at 19 significant figures of accuracy
- Fraction of a second over the age of the Universe
- Best limits on modern-epoch drift of fundamental constants

DM halo=“preferred” reference frame



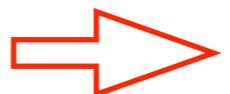
Are there correlations of moving through DM halo with galactic velocity?

Clocks



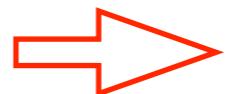
quantum oscillator:

$$\text{phase} = \phi_0(t) = \int_0^t \omega_0 dt'$$



$$\text{time} = \phi_0(t) / \omega_0$$

$$\text{with TDM} \quad \phi(t) = \int_0^t (\omega_0 + \delta\omega(t')) dt'$$



clock speeds up/slow down

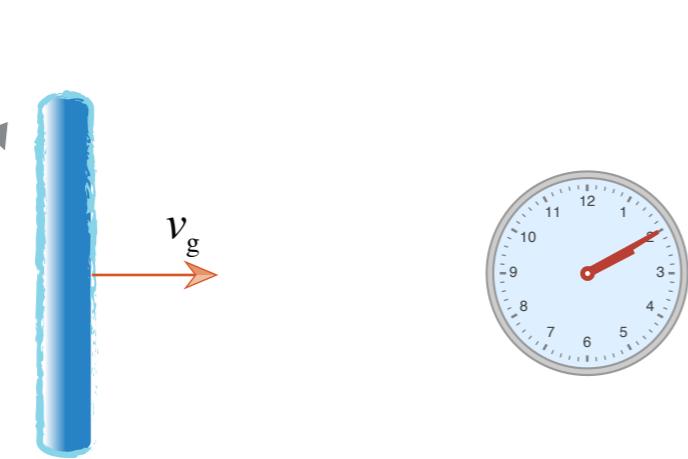
$$\Delta\phi_{\text{TDM}}(t) = \int_{-\infty}^t \delta\omega(t') dt'$$



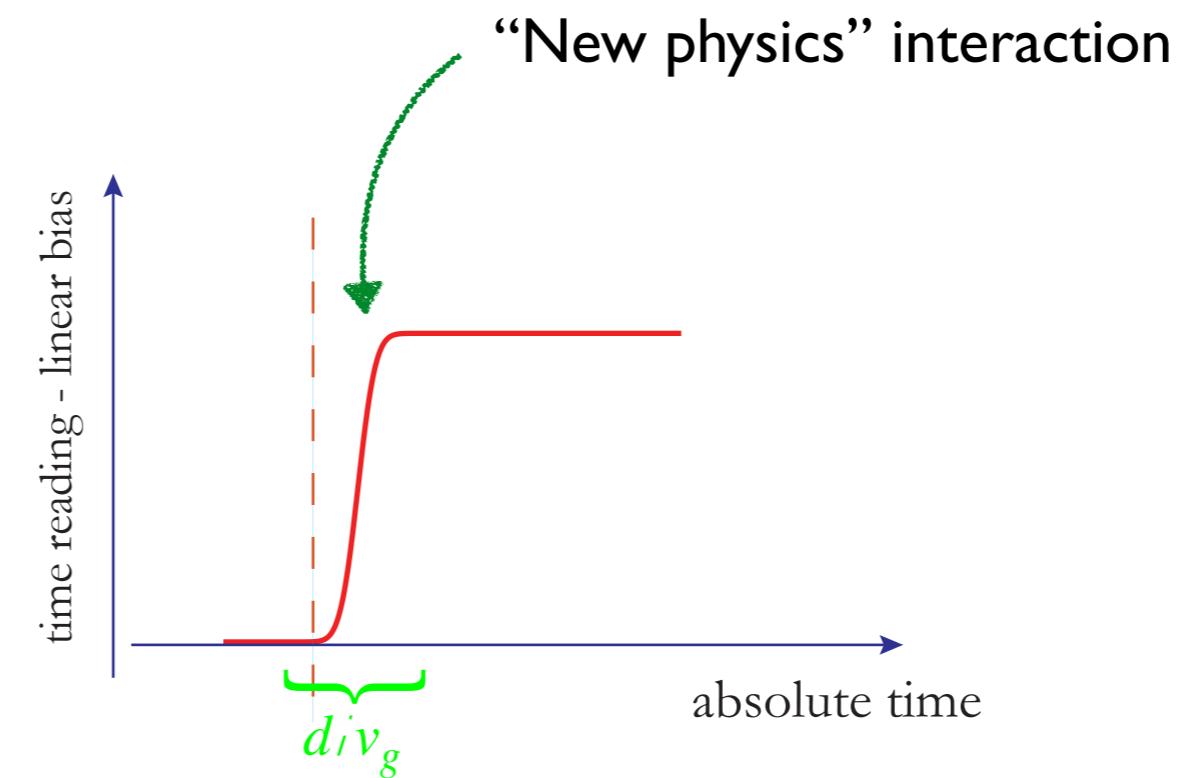
$$\Delta t_{\text{TDM}}(t) = \frac{\Delta\phi_{\text{TDM}}(t)}{\omega_0}$$

Basic idea

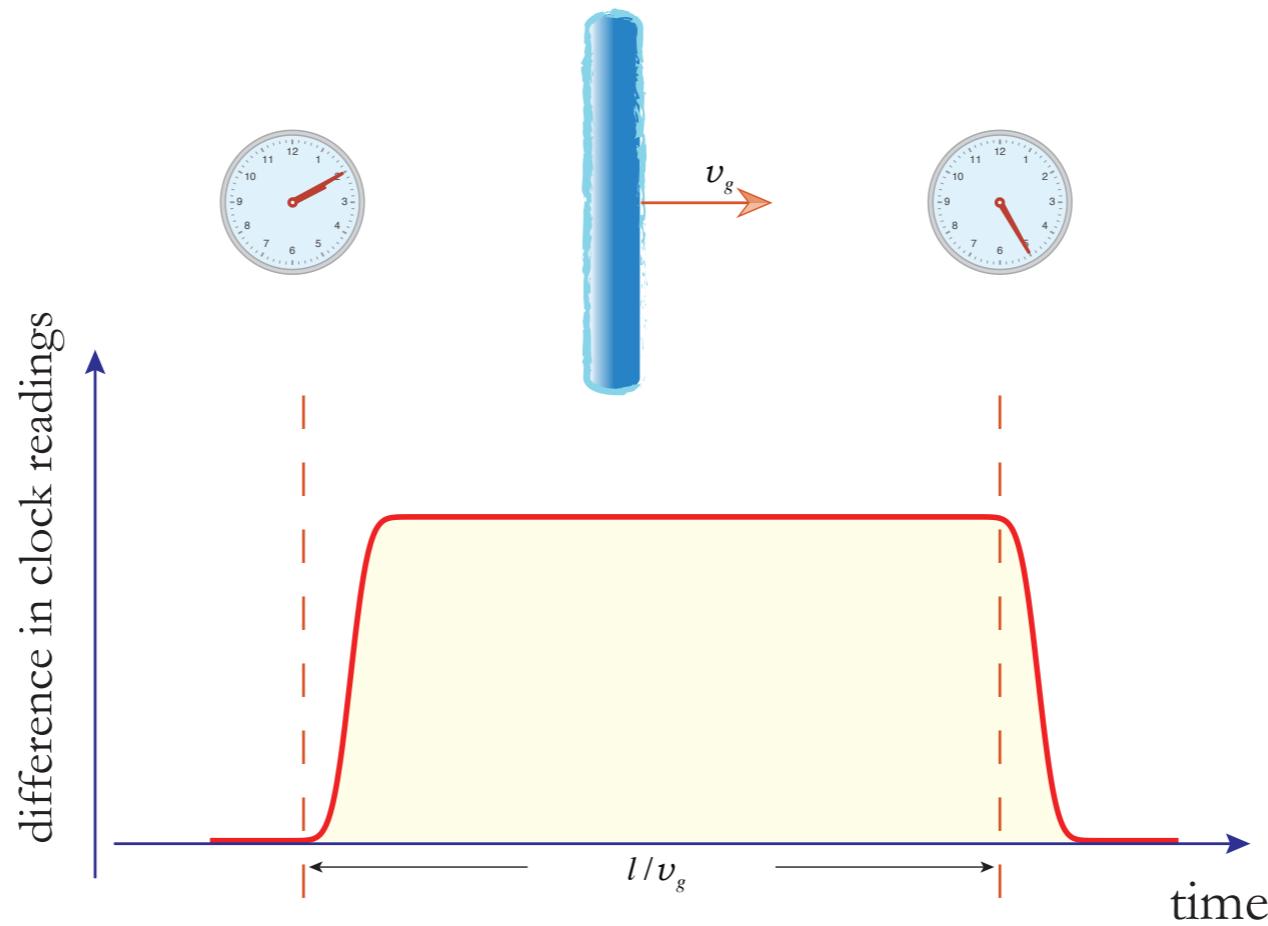
Lump of dark matter $\sim 300 \text{ km/s}$



atomic frequencies are shifted
by the lump



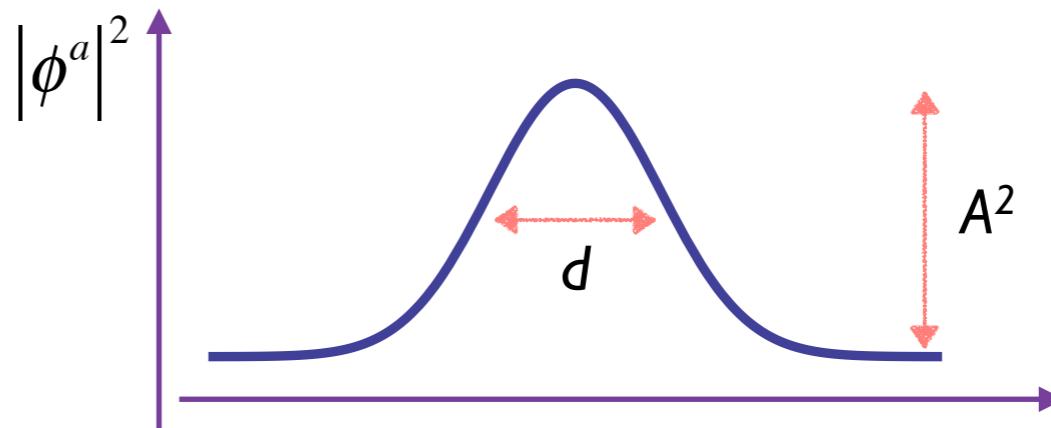
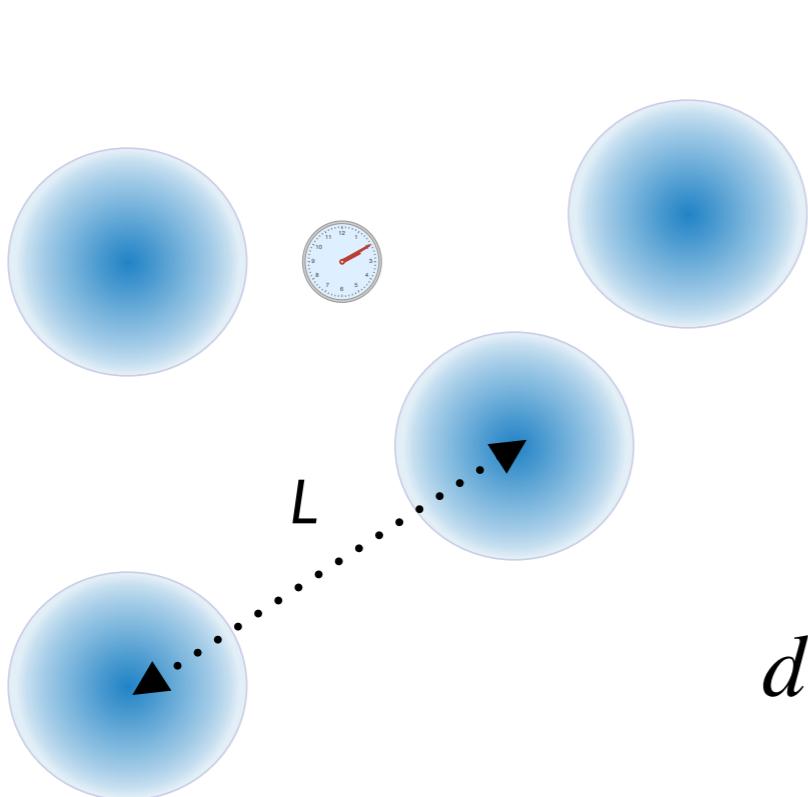
Dark matter signature



Monitor time difference b/w two spatially-separated clocks
⇒ persistent clock discrepancy for over time l/v_g

GPS aperture = 50,000 km => $l/v_g \sim 150$ sec

“Gas of topological defects” DM model



$$d \sim \frac{\hbar}{m_\phi c}$$

Defect size and particle mass

$$\rho_{TDM} \sim \frac{1}{L^3} \times \left(\frac{1}{\hbar c} \frac{A^2}{d^2} d^3 \right)$$

Energy density

$$T_{coll} \sim \frac{1}{n\sigma v} \sim \frac{1}{1/L^3 \times d^2 \times v_g}$$

Time b/w “collisions”

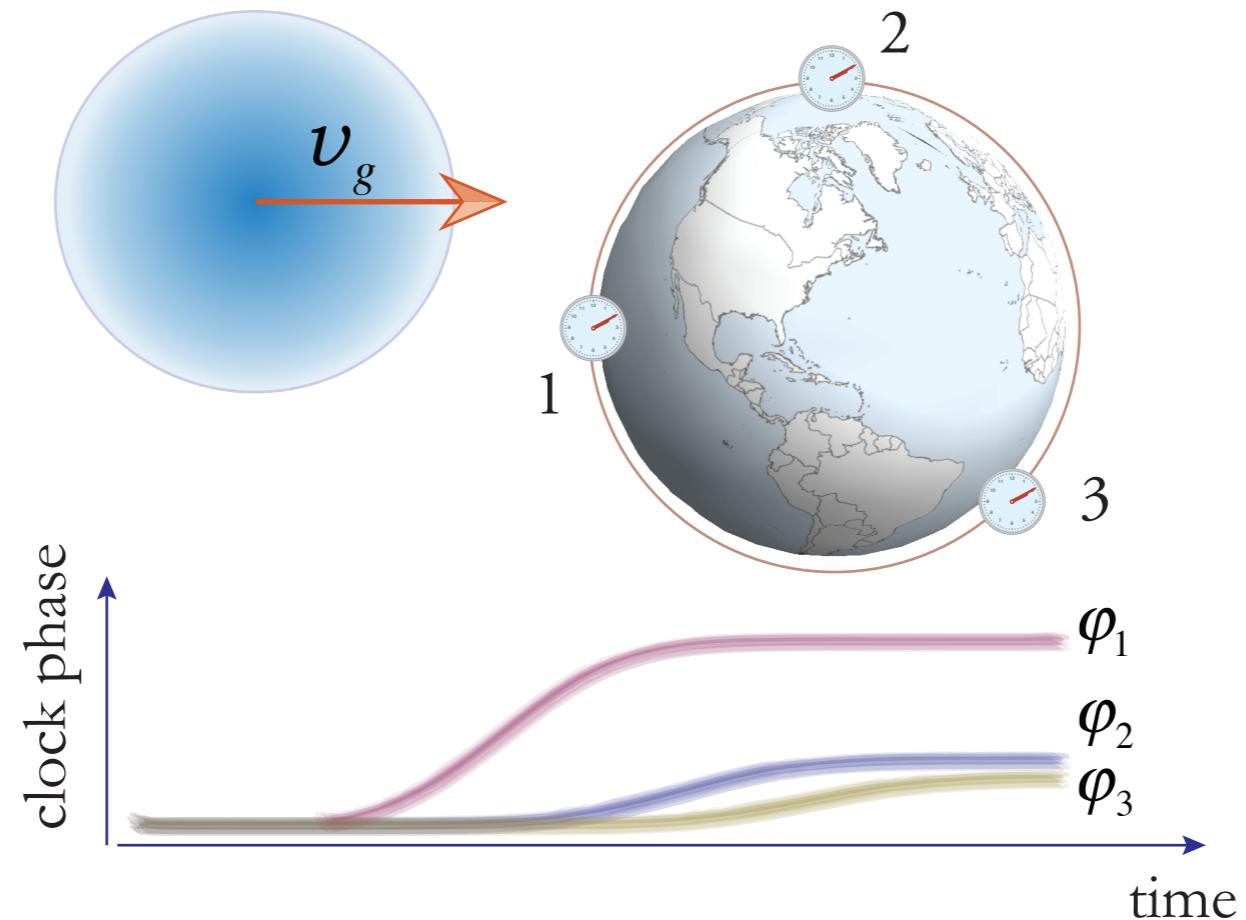
$$\tau \sim \frac{d}{v_g}$$

Interaction time



M. Pospelov

Tomography of monopoles



Dark-matter portals

$$-L_{\text{int}} = a^2(\mathbf{r}, t) \left(\frac{m_e \bar{e} e}{\Lambda_e^2} + \frac{m_p \bar{p} p}{\Lambda_p^2} + \frac{1}{4\Lambda_\gamma^2} F_{\mu\nu}^2 + \dots \right)$$

DM field electrons protons EM field

Compare to the QED Lagrangian

$$L_{\text{QED}} = i\hbar c \bar{e} D e - m_e c^2 \bar{e} e - \frac{1}{4\mu_0} F_{\mu\nu}^2$$

$$m_e c^2 \rightarrow m_e c^2 \left(1 + \frac{a^2(\mathbf{r}, t)}{\Lambda_e^2} \right)$$

$$\alpha \rightarrow \alpha / (1 - a^2(\mathbf{r}, t) / \Lambda_\gamma^2)$$

DM lumps pull on the rest masses of electrons, quarks and EM coupling

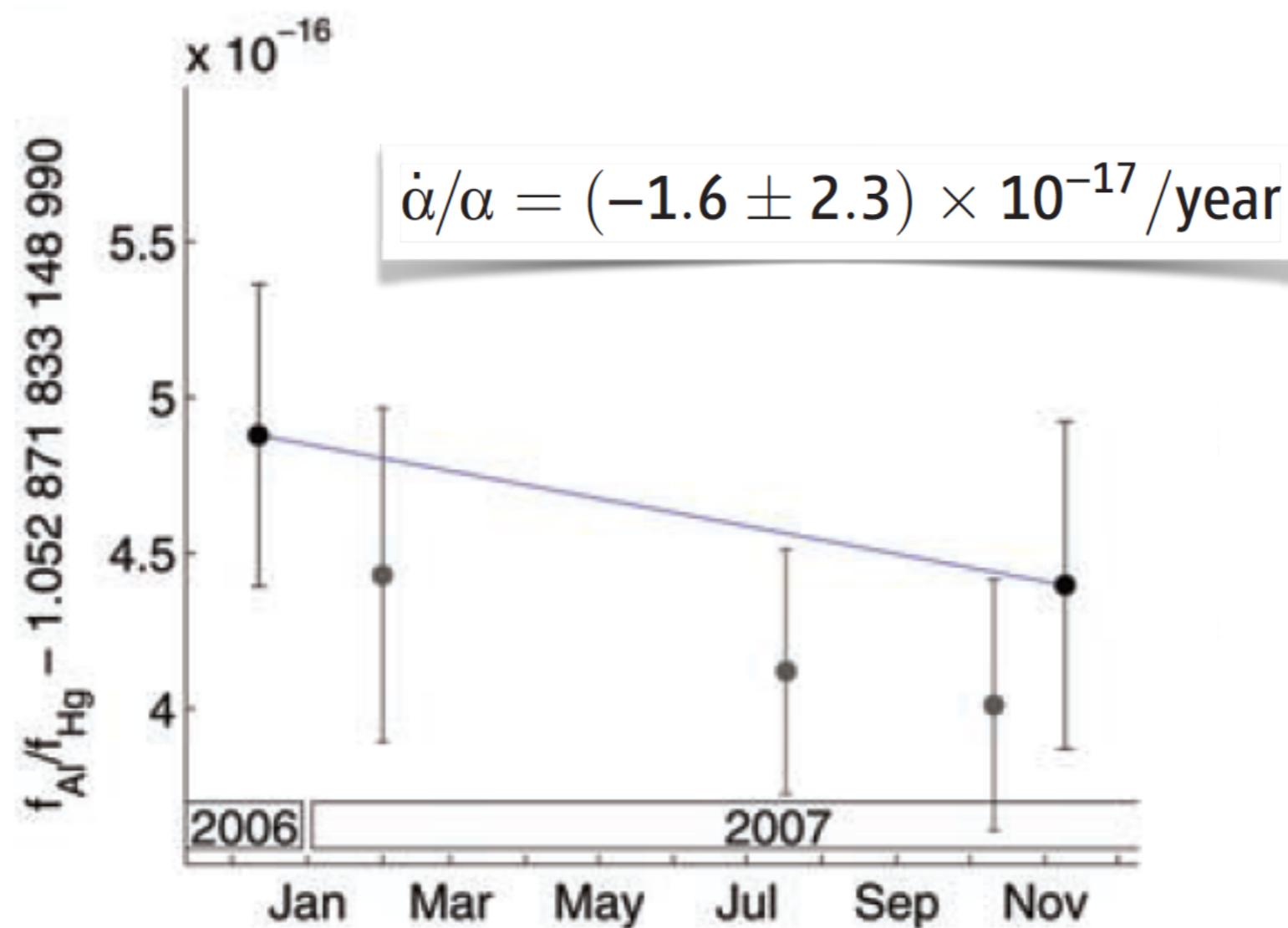
Energies and frequencies are modulated as TD sweeps through

Variation of fundamental constants

$$\omega_{\text{clock}} \left(\alpha, \frac{m_q}{\Lambda_{\text{QCD}}}, \frac{m_e}{m_p} \right)$$

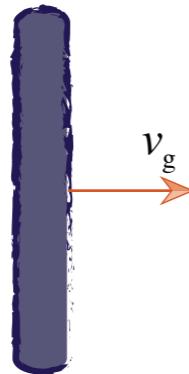
$$\frac{\delta \omega(t)}{\omega_0} = \sum_{X=\text{fnd consts}} K_X \frac{\delta X(t)}{X} = K_\alpha \frac{\delta \alpha(t)}{\alpha} + \dots$$

Compare ratio of frequencies of two clocks with different sensitivities



Variation of fundamental constants

Drift vs transients



$d \sim 100\text{ km}$



Transient

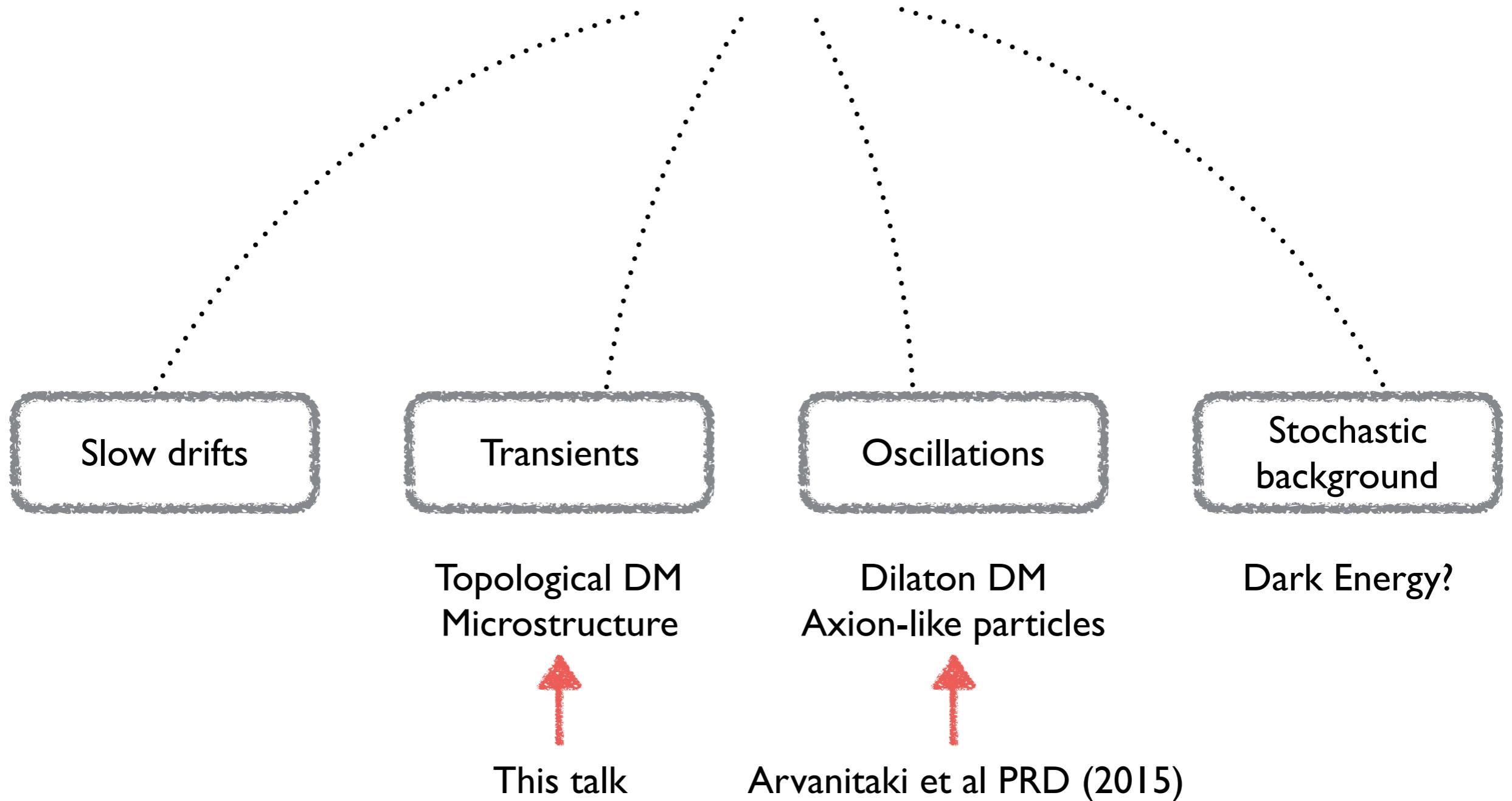


$$d > 300\text{ km/s} \times 1\text{ year} = 10^{10}\text{ km}$$



Slow drift (e.g., NIST Al/Hg ion clocks)

Variations of fundamental constants (circa 2015)



Oscillating fundamental constants

scalar ultralight fields: e.g., dilatons

$$\phi(\mathbf{r}, t) = \phi_0 \cos(\omega_\phi t - \mathbf{k}_\phi \cdot \mathbf{r} + \dots)$$

Compton frequency

$$\omega_\phi = m_\phi c^2 / \hbar$$

$$\rho_\phi = \frac{1}{2} \left(\frac{m_\phi c}{\hbar} \right)^2 \phi_0^2.$$

Energy density = local DM energy
=> field amplitude

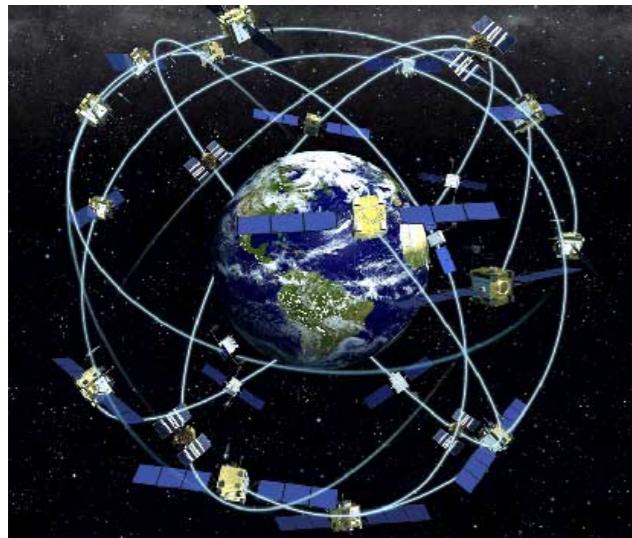
Portal

$$-L_{\text{int}} = \phi^k(\mathbf{r}, t) \left(\frac{m_e \bar{e}e}{\Lambda_e^k} + \frac{m_p \bar{p}p}{\Lambda_p^k} + \frac{1}{4\Lambda_\gamma^k} F_{\mu\nu}^2 + \dots \right) \quad k=1,2$$

How to detect variation of fundamental constants?

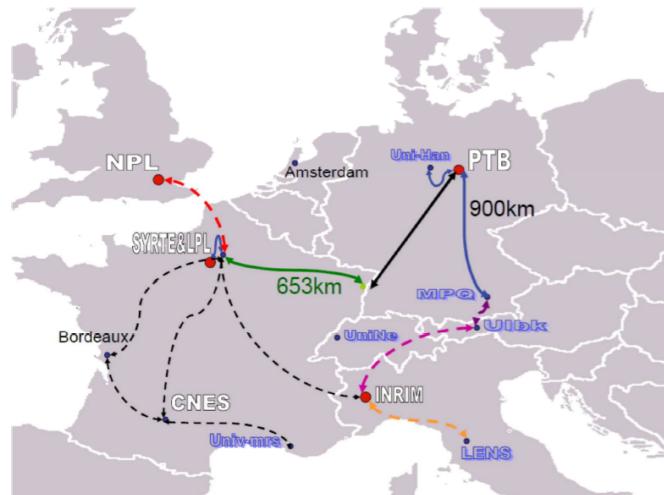
- Clocks (frequency)
- Cavities (length -> frequency)
- EPV tests (atom interferometry)
- Portal induced gravity (sat orbits?, gravimeters, AI)
- Gravitational wave detectors

Networks of clocks



Global Positioning System

- ❖ Each GPS satellite has four clocks (32 satellites)
- ❖ Data are sampled every second
- ❖ Vast terrestrial network of monitoring stations (H masers)

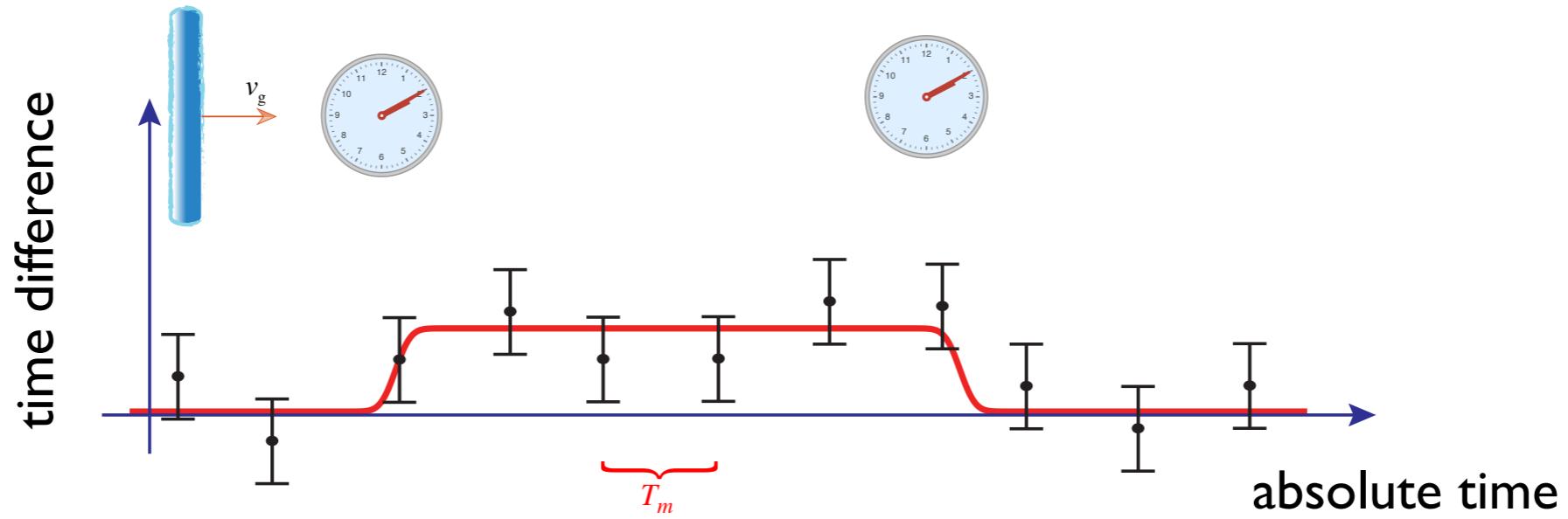


Trans-european clock network

- ❖ Optical fiber connects state-of-the art clocks
- ❖ Elements were demonstrated
(PTB-MPI Munich 920 km link) (*Predehl et al., Science (2012)*)

TAI dissemination network between national labs

Signal-to-noise ratio



$$S/N = \frac{c\hbar}{T_m \sigma_y(T_m) \sqrt{2T_m v_g / l}} \rho_{DM} d^2 \mathcal{T}_{coll} \sum_{\text{fundamental constants } X} \frac{K_X}{\Lambda_X^2}$$

Time b/w events

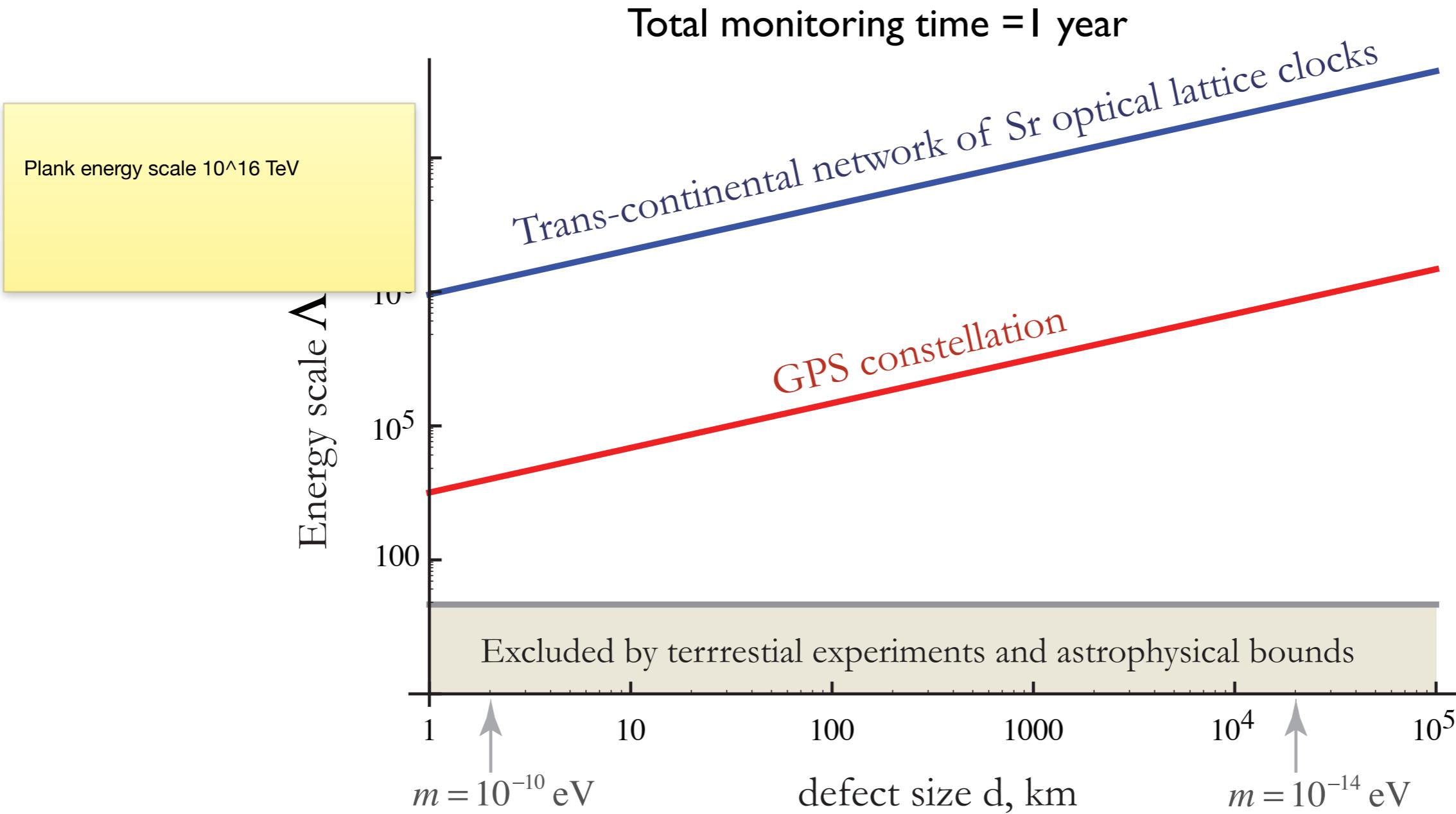
Allan variance

Dark matter energy density

defect size

Projected limits (thin domain walls)

(if the TDM signature is not observed)

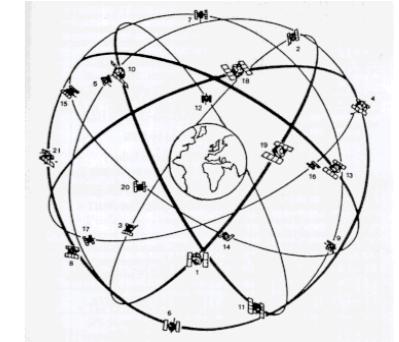


+ Link noise: D. Calonico, M. Inguscio, and F. Levi, EPL 110, (2015).

GPS as a dark matter detector

Andrei Derevianko - U. Nevada-Reno

GPS as a dark matter detector (GPS.DM observatory)



- GPS = 32 satellites with Rb/Cs clocks
- 50,000 km aperture - largest human-built DM detector
- no extra \$\$\$
- None of conventional effects would sweep at 300 km/s
- About 10 years of 30 second solutions are available
- Fit clock solutions to box-car functions/x-correlate clocks

GPS.DM Observatory

G. Blewitt (GPS, Nevada-Reno)

A. Derevianko (Theory/data analysis, Nevada-Reno)

M. Pospelov (QFT/Cosmology, Perimeter)

J. Sherman (Clocks, NIST-Boulder)

Postdoc: B. Robberts

Students (all Nevada-Reno)

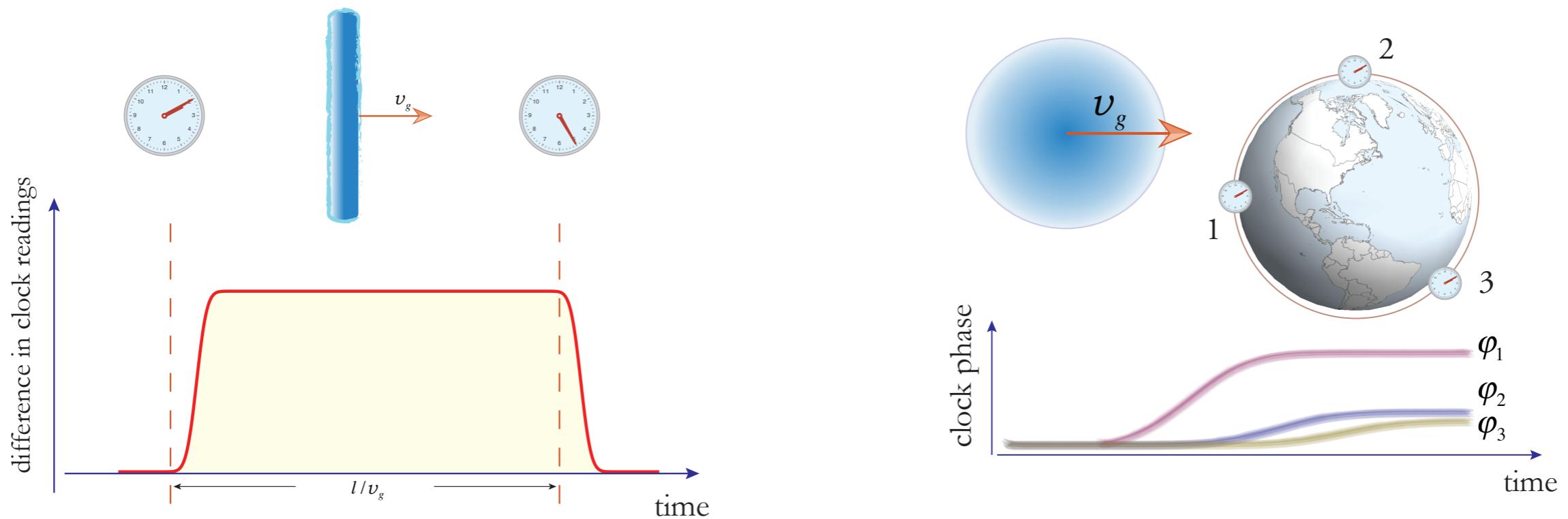
M. Murphy(graduated), N. Lundholm, A. Rowling



Cooling with combs (cold atoms +precision spectroscopy)

- 1 **Stimulated cooling of molecules on multiple rovibrational transitions with coherent pulse trains**, E. Ilinova, J. Weinstein, and A. Derevianko, [*New J. Phys.* 17, 055003 \(2015\)](#), arXiv:1201.1015
- 2 **See-saw protocol for Doppler cooling of multilevel systems with coherent pulse trains**, M. Ahmad, E. Ilinova, and A. Derevianko, [arXiv:1206.2393](#)
- 3 **Doppler cooling of three-level Λ -systems by coherent pulse trains**, E. Ilinova, A. Derevianko, [*Phys. Rev. A* 86, 023417 \(2012\)](#), arXiv: [1203.1963](#)
- 4 **Dynamics of three-level Λ -type system driven by the trains of ultrashort laser pulses**, E. Ilinova and A. Derevianko, [*Phys. Rev. A* 86, 013423 \(2012\)](#), arXiv: [1203.0034](#)

Listening to dark matter with a network of atomic clocks



- Differential signals last for ~ 30 s for transcontinental networks, ~ 200 s for GPS
- X-correlations between clocks are important as once a year short-duration events can be dismissed as outliers
- Other possibilities: networks of magnetometers (Budker et al), LIGO, EPV,...
- Ultra-stable clocks are beneficial => Heisenberg-limited spectroscopy

Details in Derevianko and Pospelov, Nature Phys. 10, 933 (2014)